

# Attenuation Characteristics within a Mountain Wave “Valve Layer” and Quantification of Gravity Wave Drag

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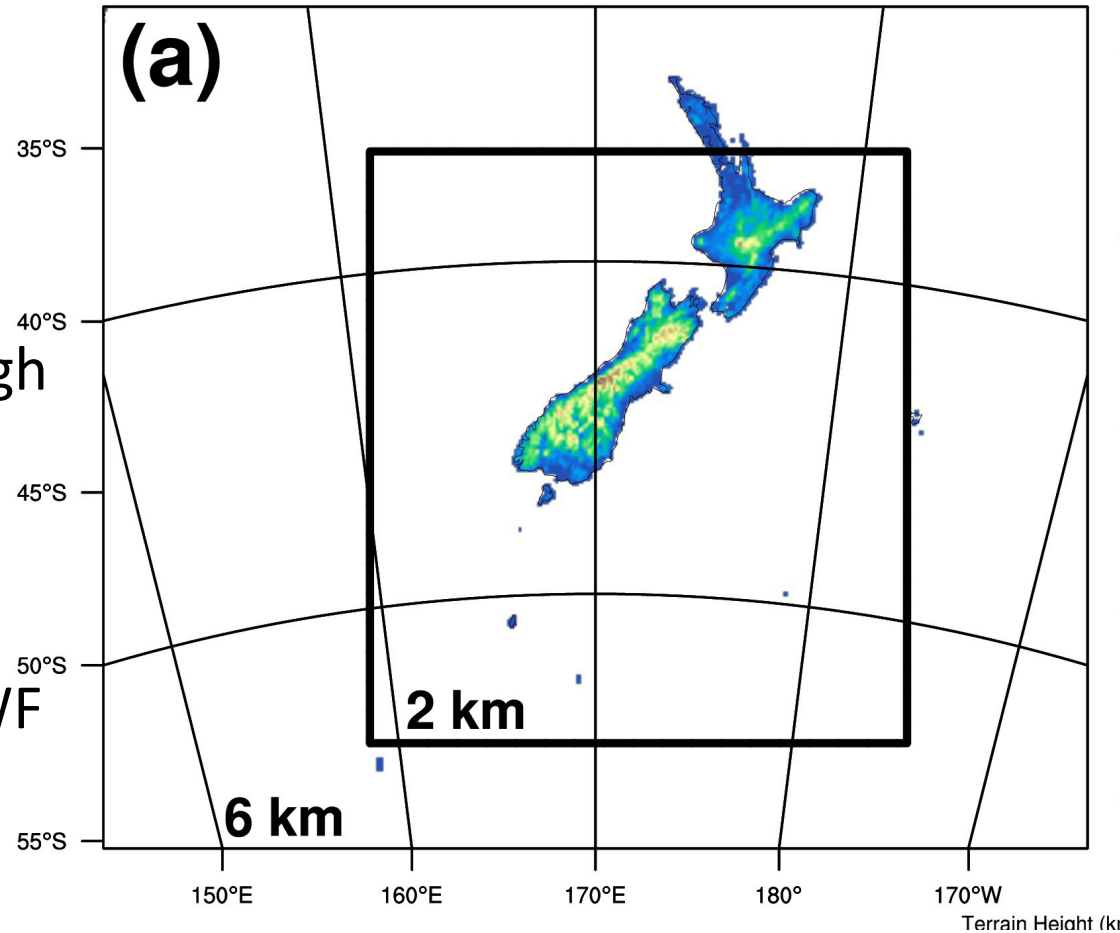
Supported by DEEPWAVE

NSF-AGS-1338655



# WRF Setup

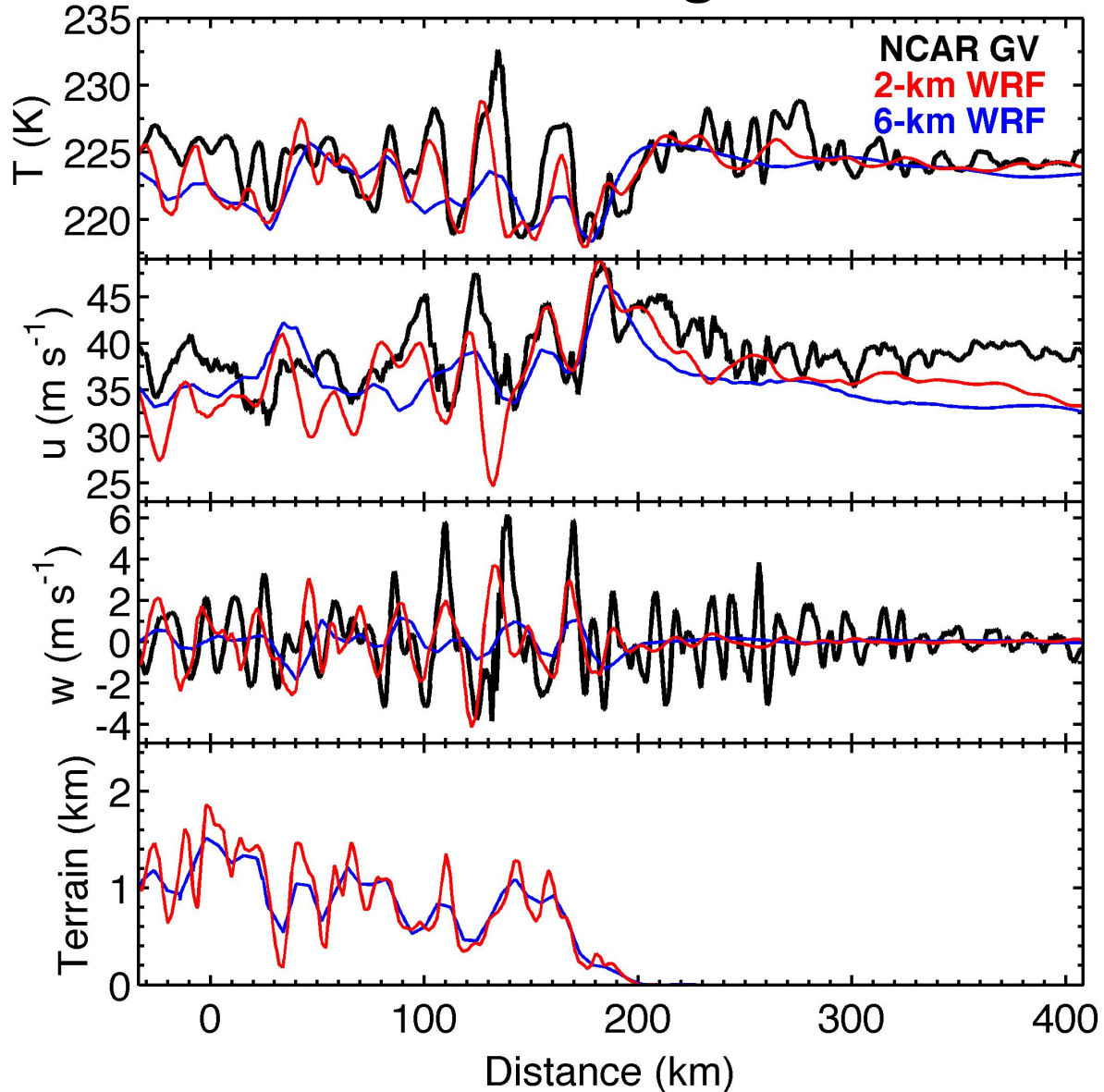
- The “Long Run”
  - 6km resolution
  - Initialized 24 May 2014
  - Run continuously through 1 Aug 2014 (DEEPWAVE period)
  - Top @ 100Pa, ~45 km
  - Forced by ~16km ECMWF
  - $\Delta z = \sim 50 \text{ m} - 600 \text{ m}$



Please ignore the 2km nest!

# Flights Through Simulated and Actual Atmospheres

## RF16 Leg 1

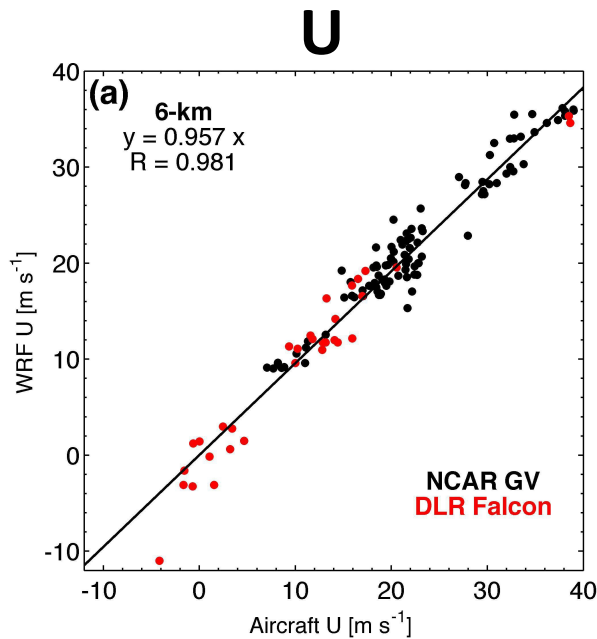


- WRF 4-D linearly interpolated to flights
- Strongest  $EF_z$  and  $MF_x$  observed on this leg
- **One of the better comparisons!**

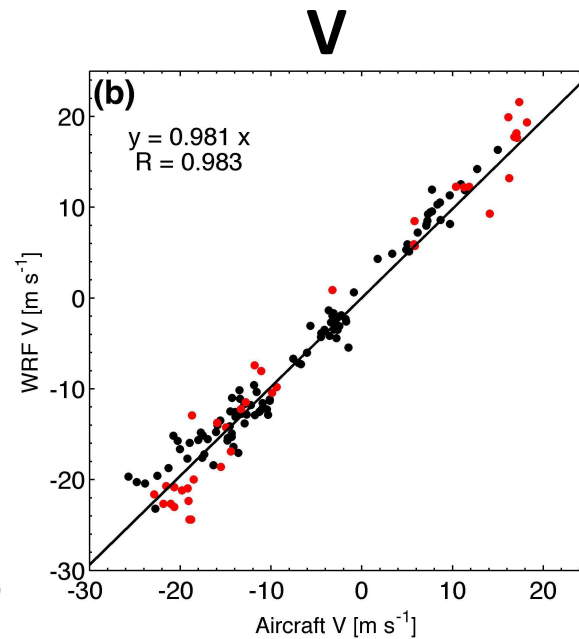
# Ambient Atmosphere Validation: Aircraft

- Leg Mean Quantities
- WRF vs Aircraft
- Very good validation @  $z = 12.1$  km

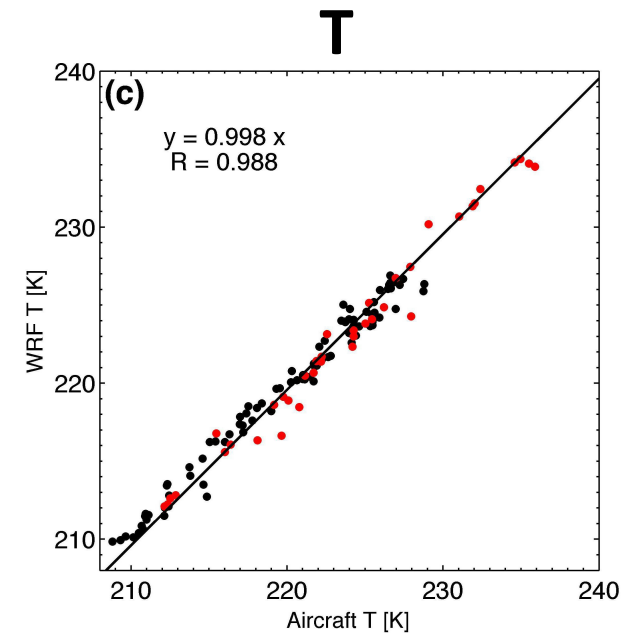
6-km Long Run



Mean Error = -0.80  
Mean Absolute Error = 1.81



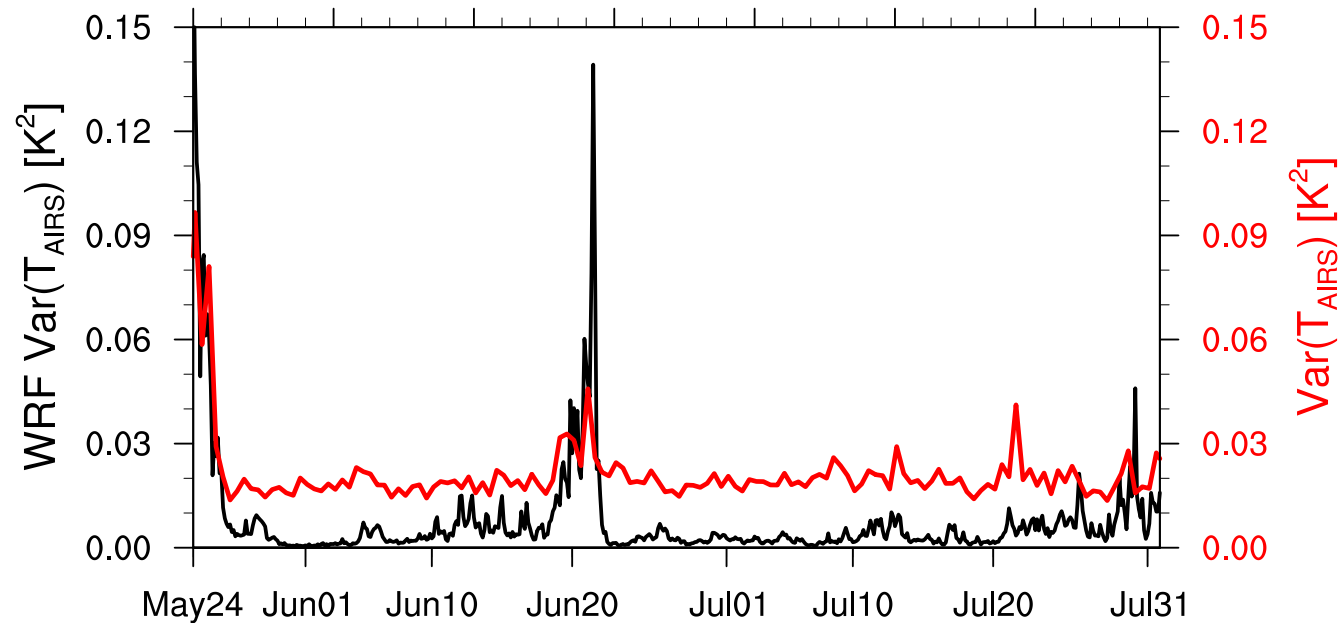
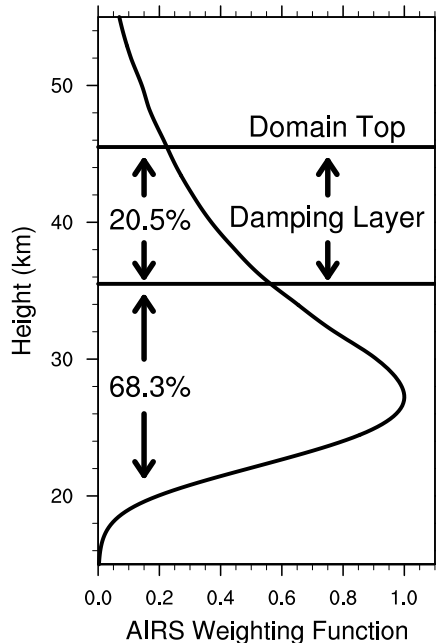
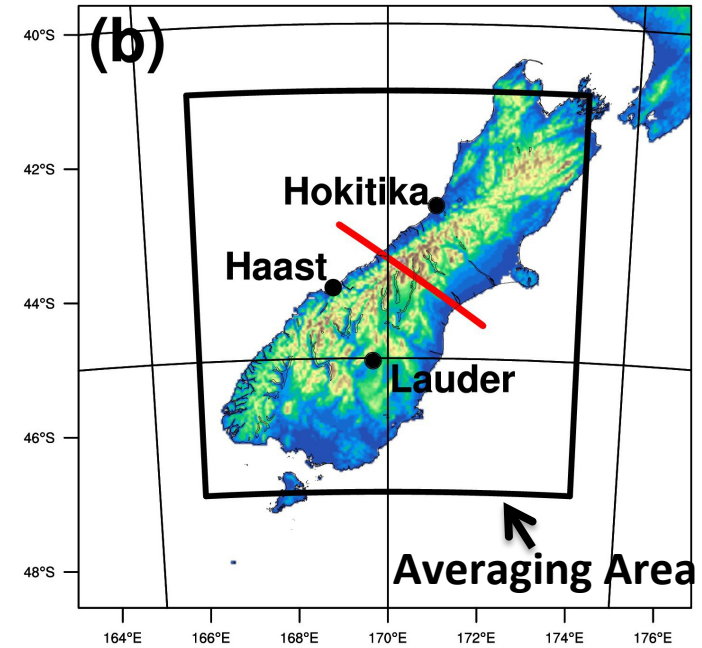
ME = 0.60  
MAE = 1.73



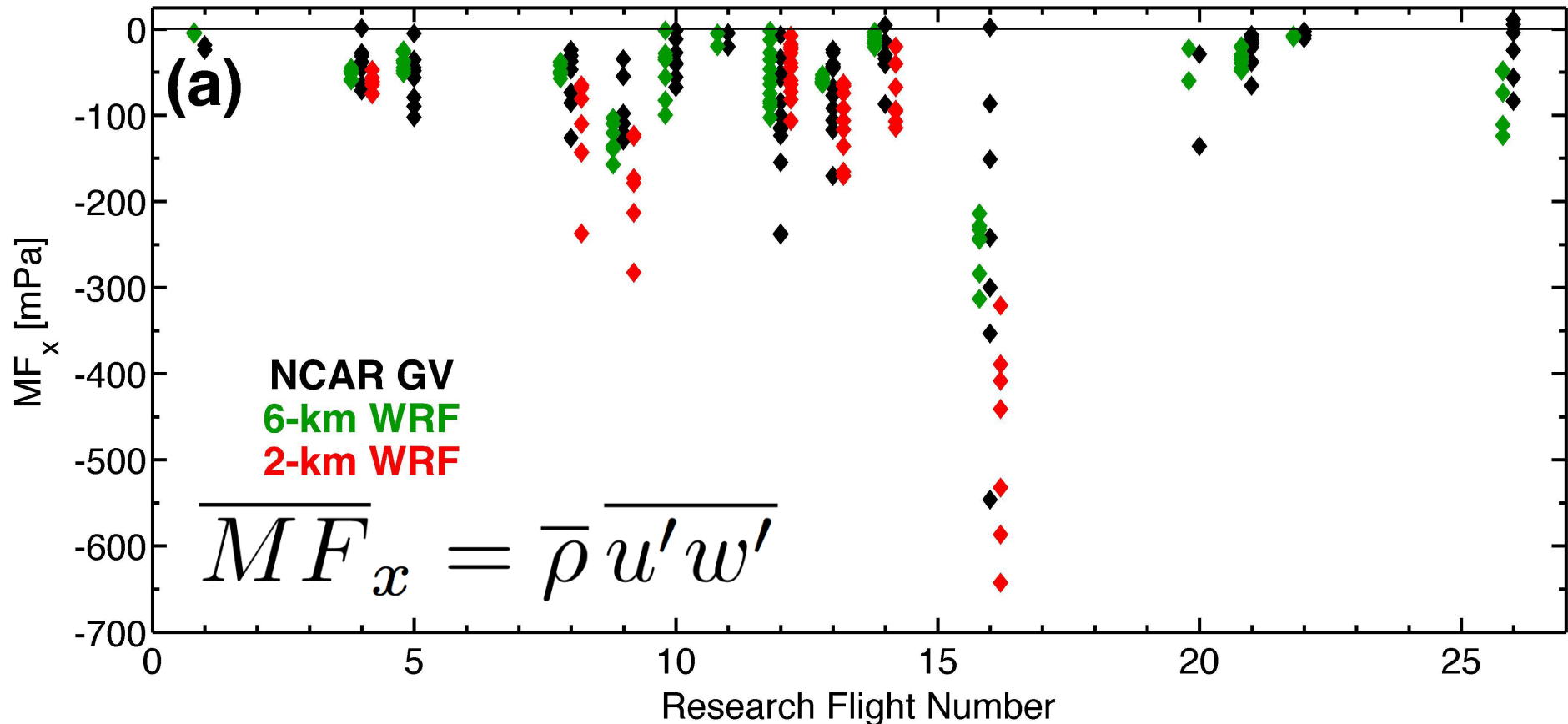
ME = -0.44  
MAE = 0.77

# AIRS Validation (Courtesy of Steve Eckermann)

- Applied AIRS weighting functions to 3-D WRF fields to produce 2-D forward modeled AIRS temperatures within WRF
- Computed temperature variance over the box at right
- 20 mb,  $\lambda = 14.9381 \mu\text{m}$ , channel



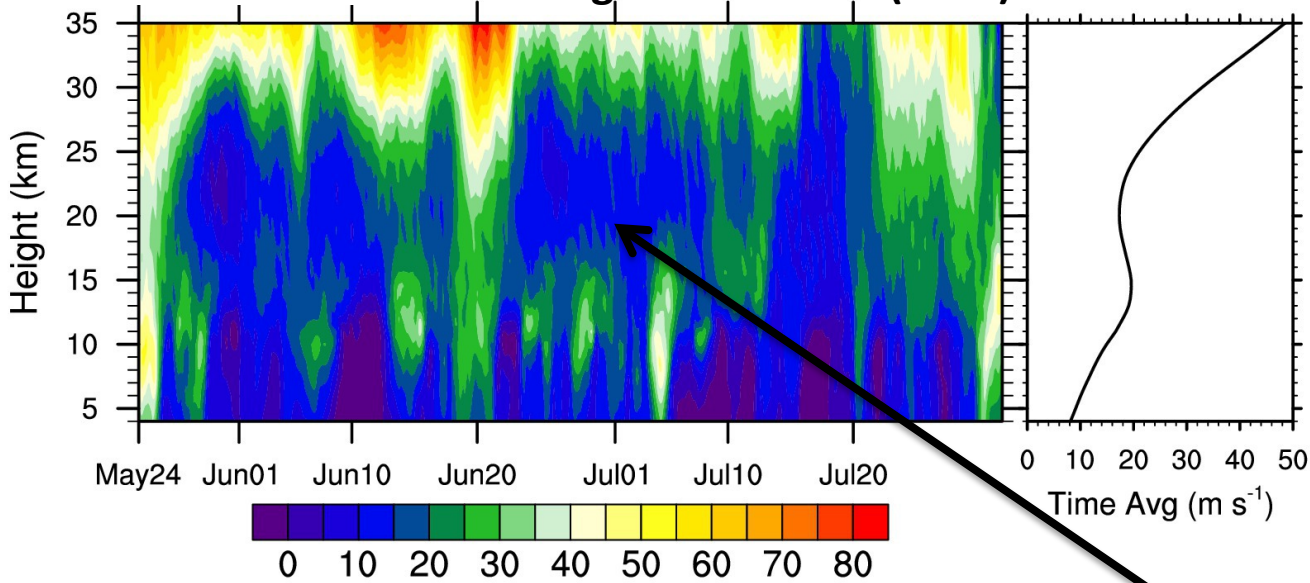
# Momentum Flux Validation



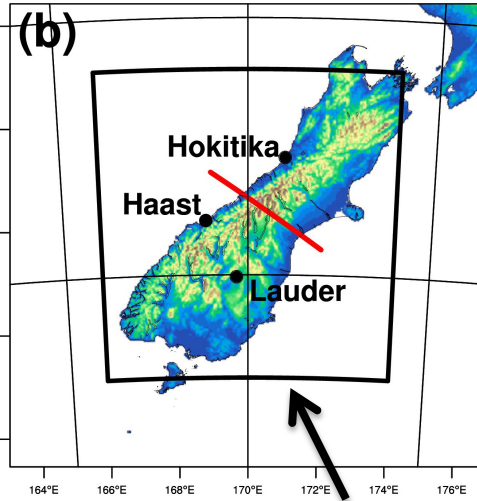
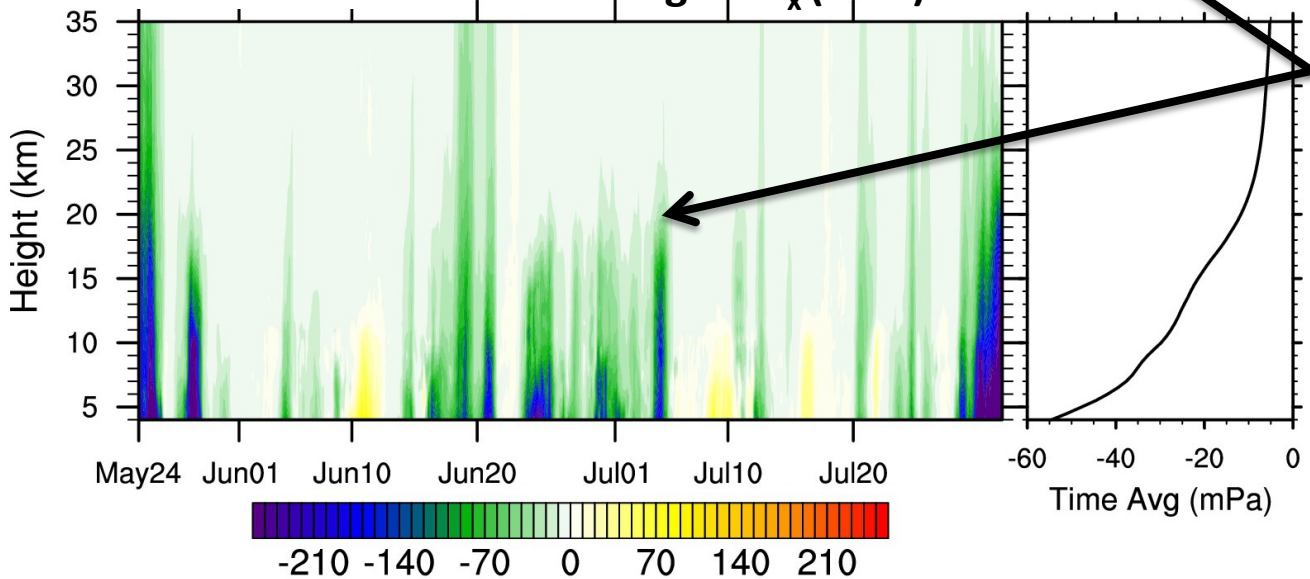
- Leg/Distance Averaged Quantities
- Long Run doesn't reproduce  $MF_x$  variability, **but reproduces event averages**
- Long Run Mean Error = +3.838 mPa, +5.56%

# Mountain Wave Propagation over NZ

Area Average Zonal Wind ( $\text{m s}^{-1}$ )



Area Average  $\text{MF}_x$  (mPa)

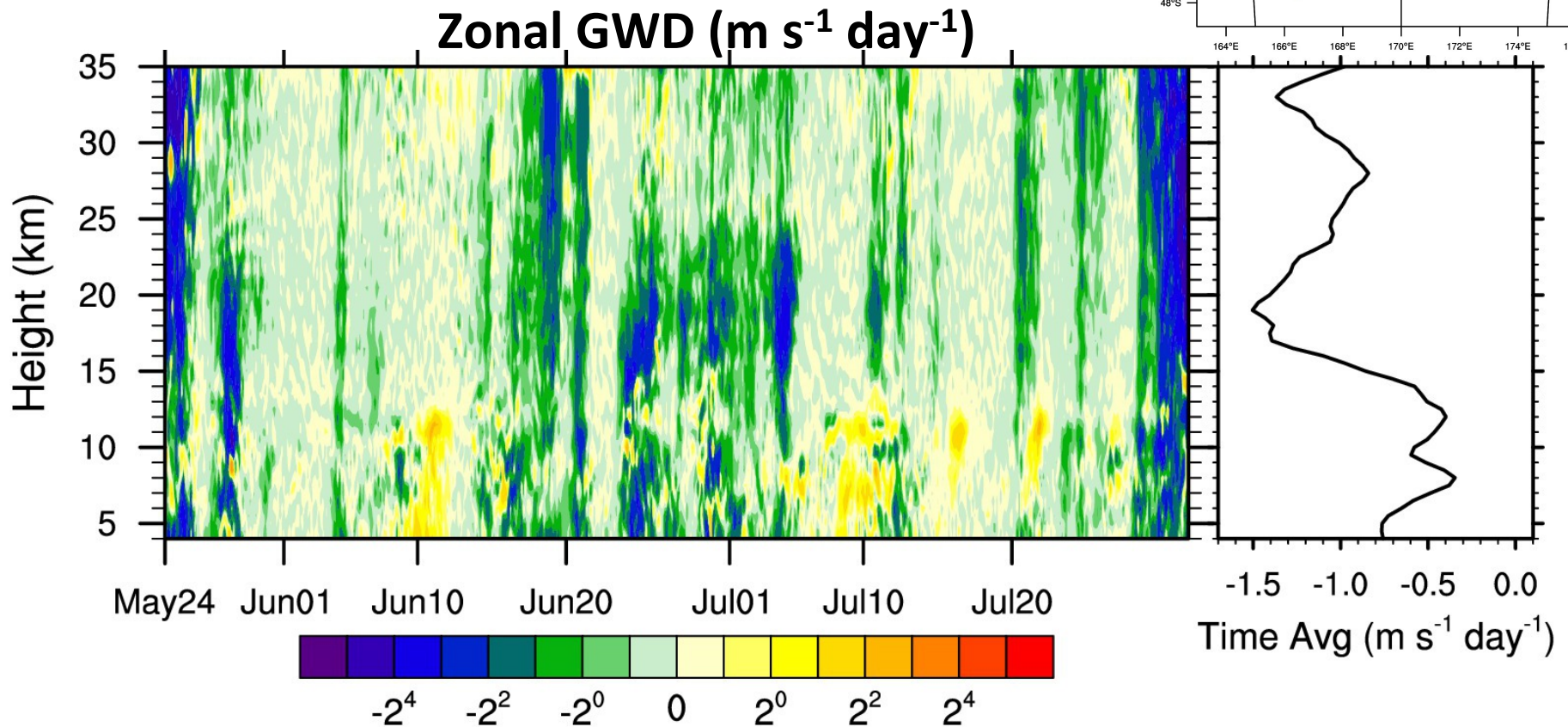
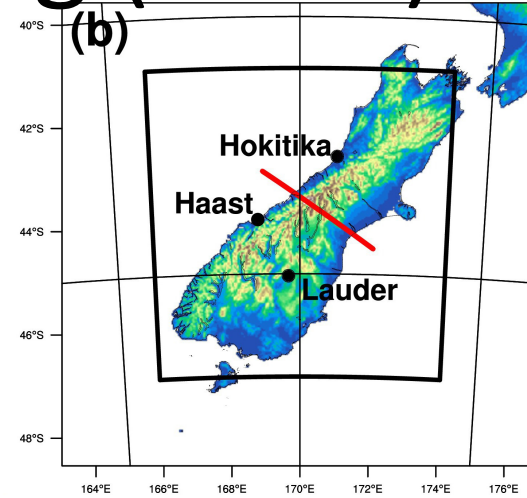


Averaging Area

Little mountain wave  $\text{MF}_x$  gets through a weak wind "Valve Layer"

# Long Run Gravity Wave Drag (GWD)

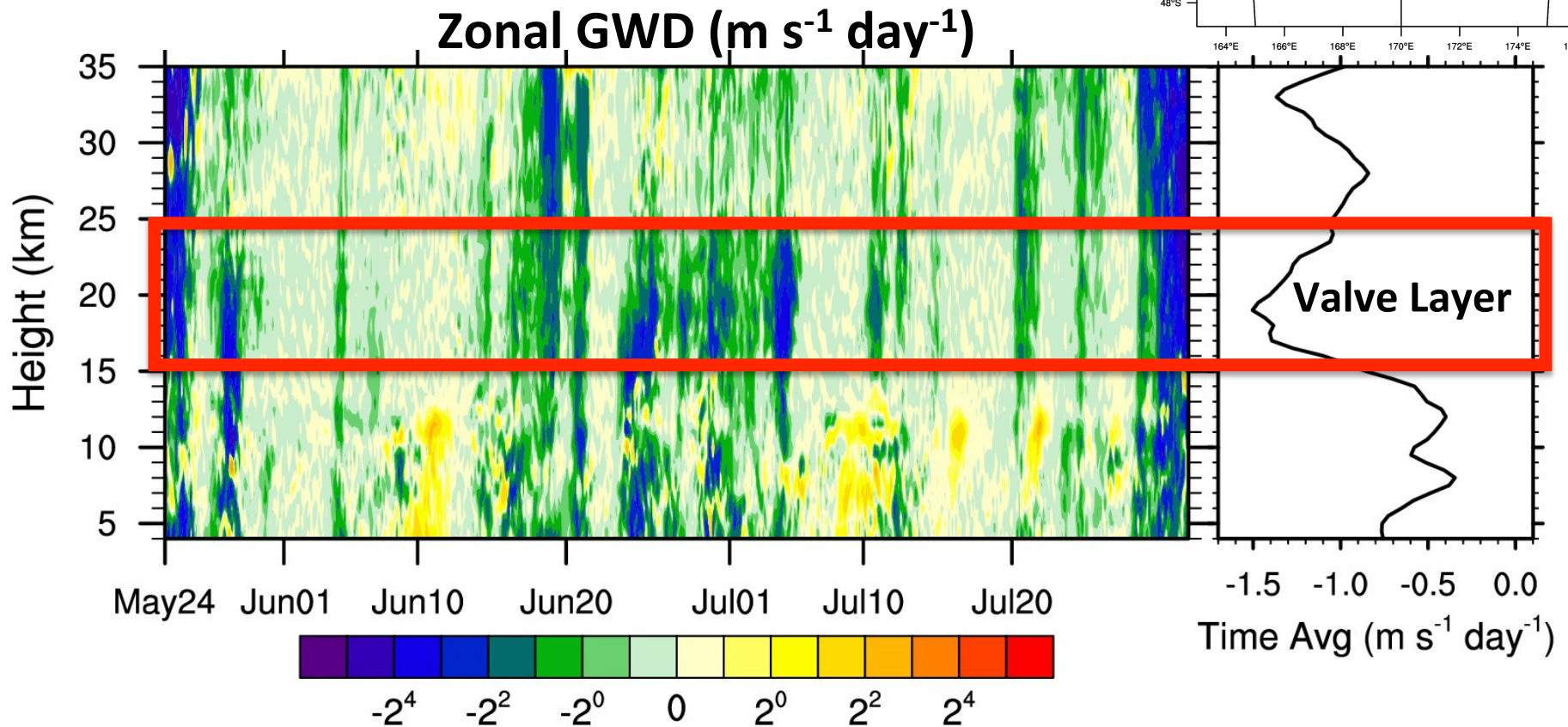
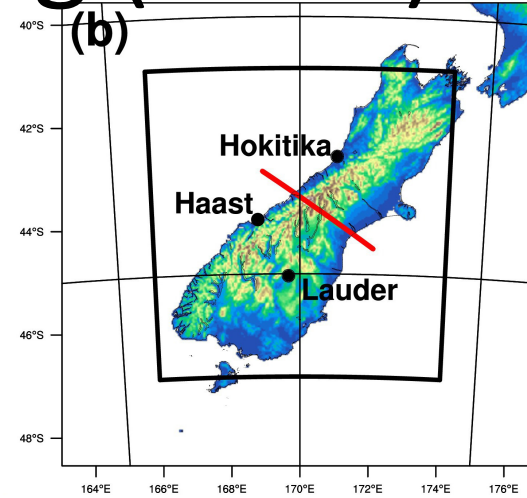
$$GWD_x = -\frac{1}{\bar{\rho}} \frac{\Delta \overline{MF}_x}{\Delta z}$$





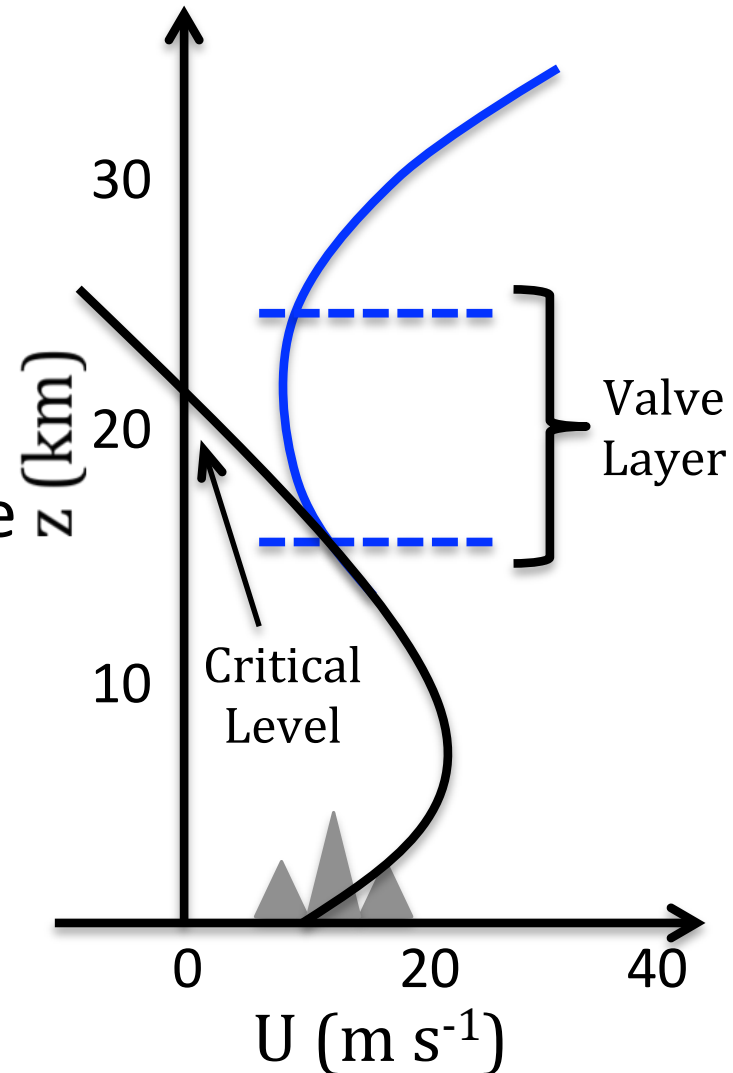
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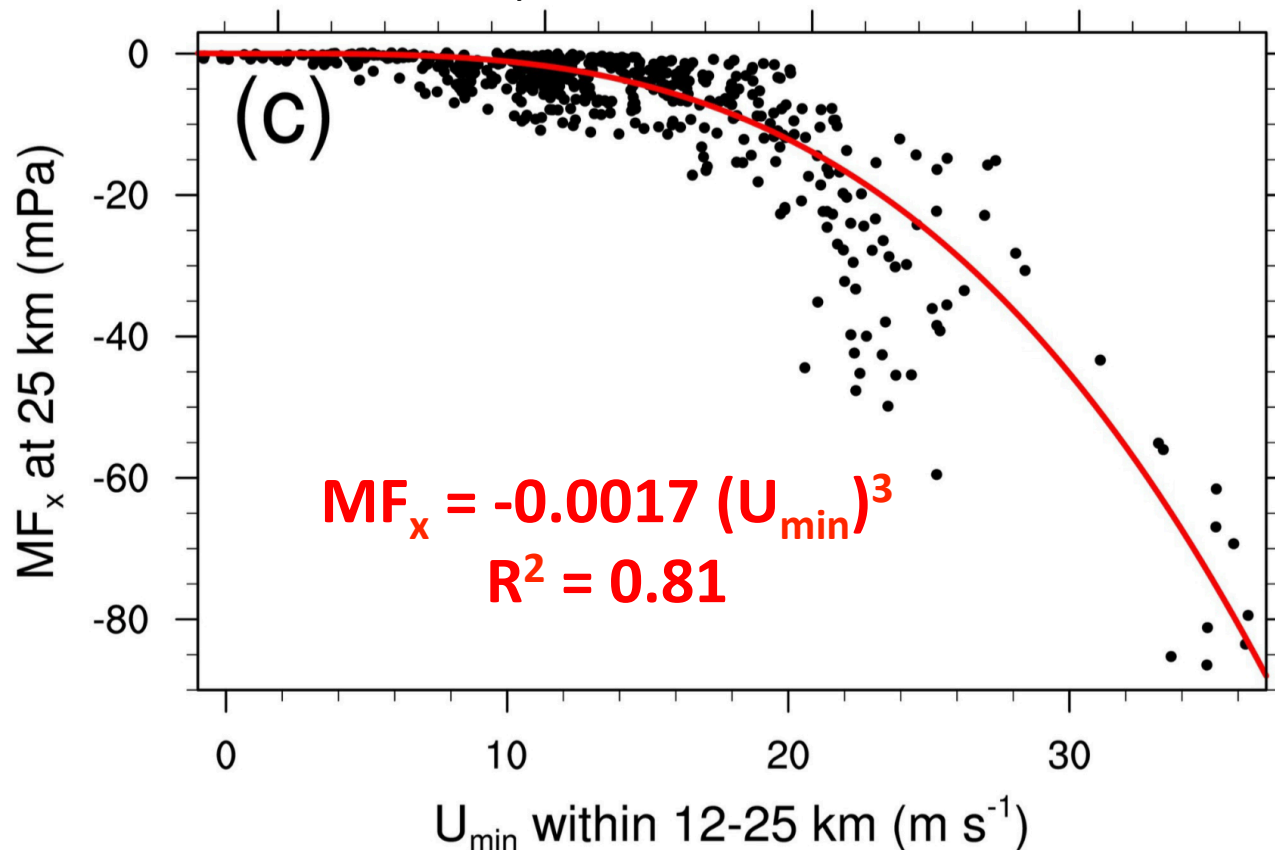
# Valve Layer Definition

- Valve Layer: layer with weak winds, but no critical level
  - Waves sometimes transmitted, sometimes attenuated, depending on incident amplitude and layer conditions (primarily wind speed)
  - Typical during DEEPWAVE!!



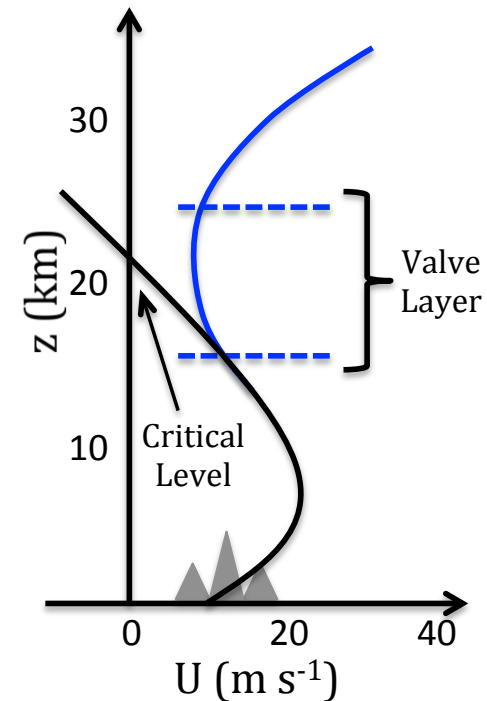
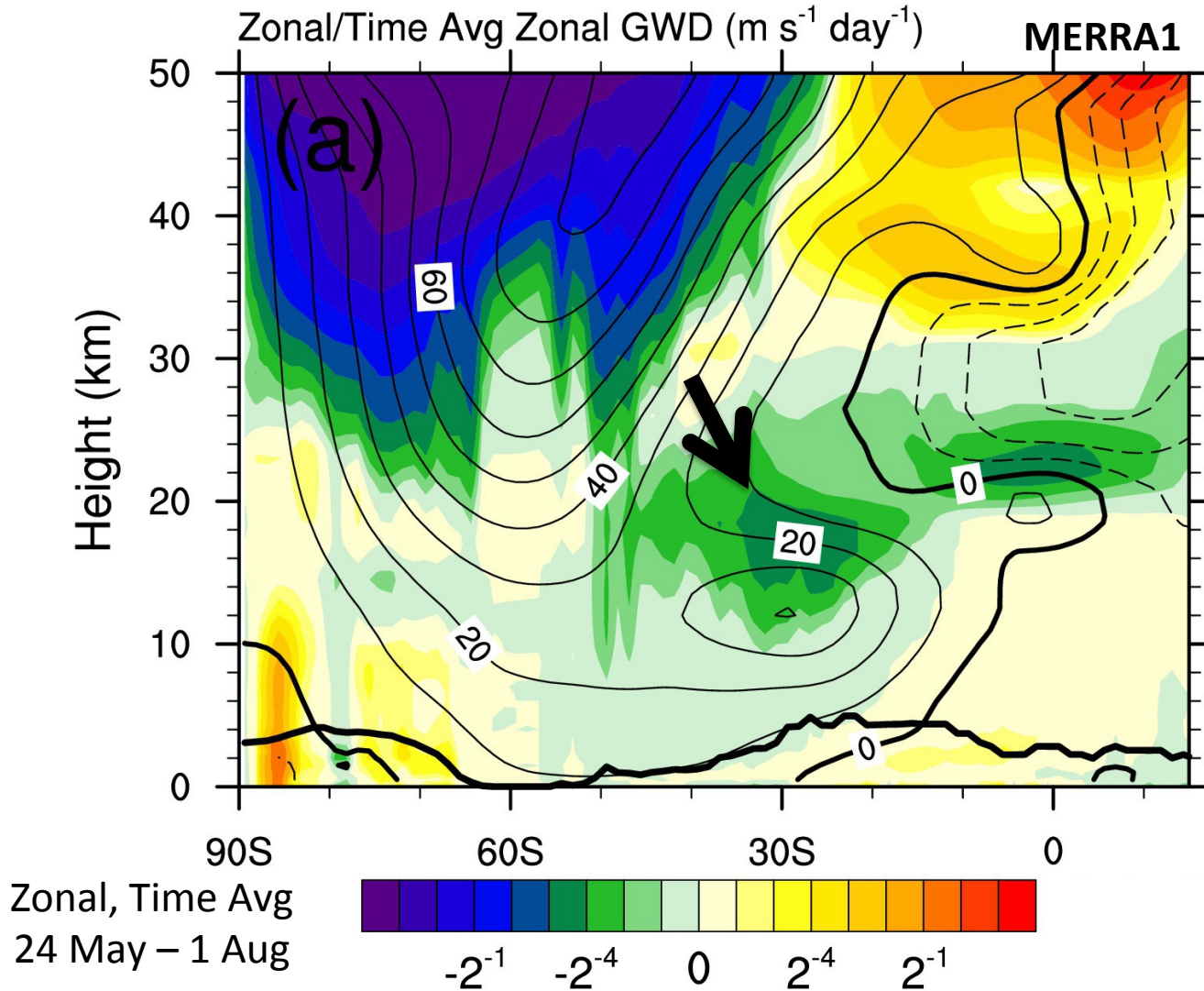
# What Controls MF<sub>x</sub> Transmission?

- Minimum wind speed
- Nearly a **cubic** relation between transmitted MF<sub>x</sub> and minimum wind speed
  - Cubic relation consistent with parameterization predictions (e.g. Palmer et al. 1986, McFarlane 1987)



# Global Context

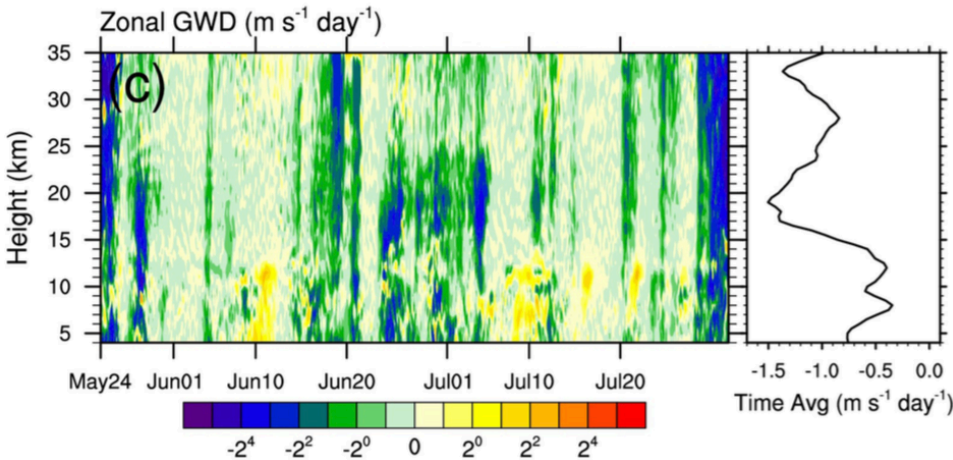
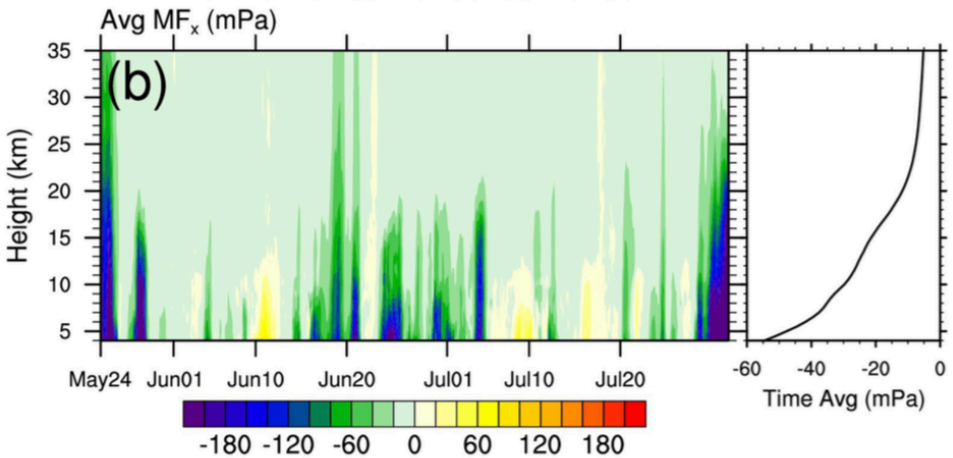
- The valve layer is a climatological feature in the wintertime mid-latitude lower stratosphere



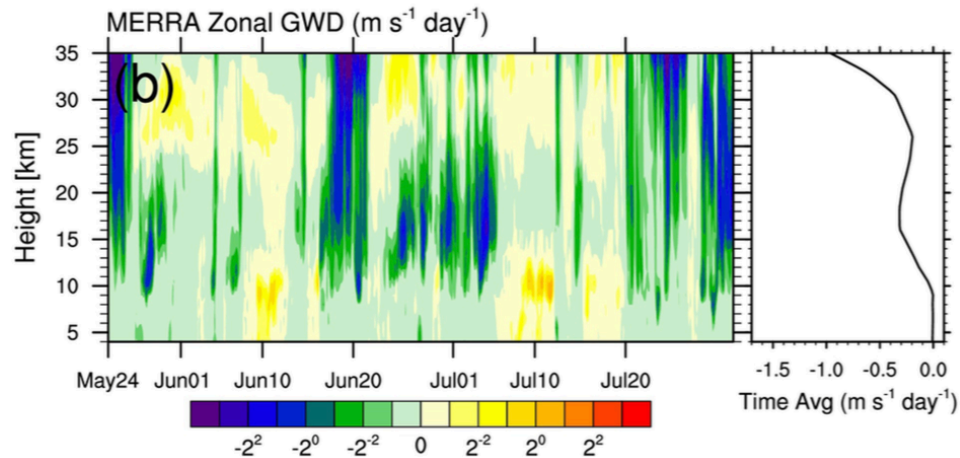
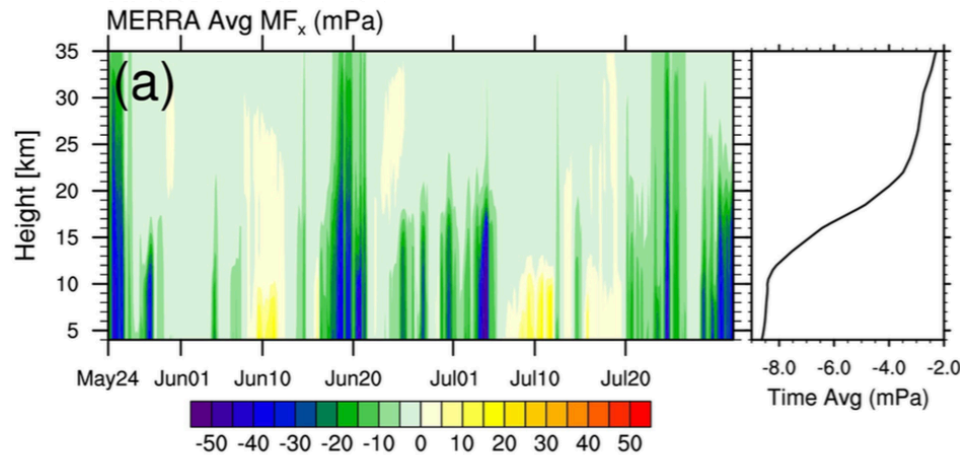
# WRF/MERRA Comparison

- Area averaged  $MF_x$  (top) and  $GWD_x$  (bottom)

WRF



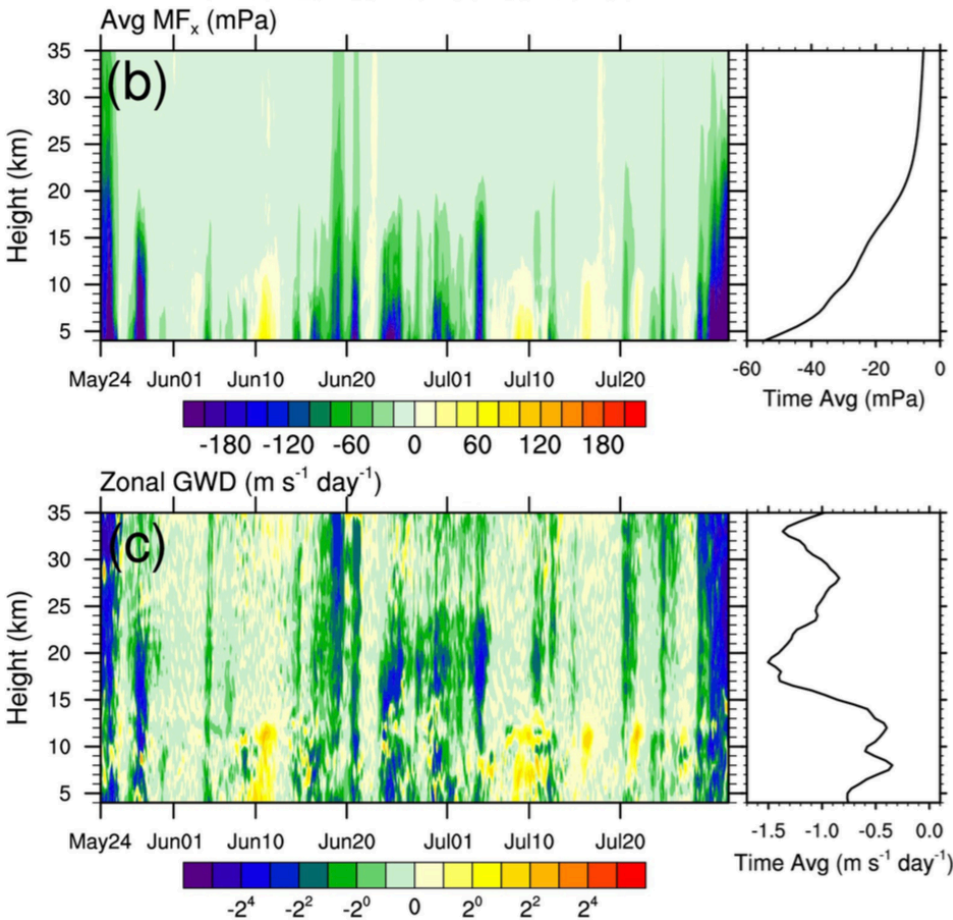
MERRA



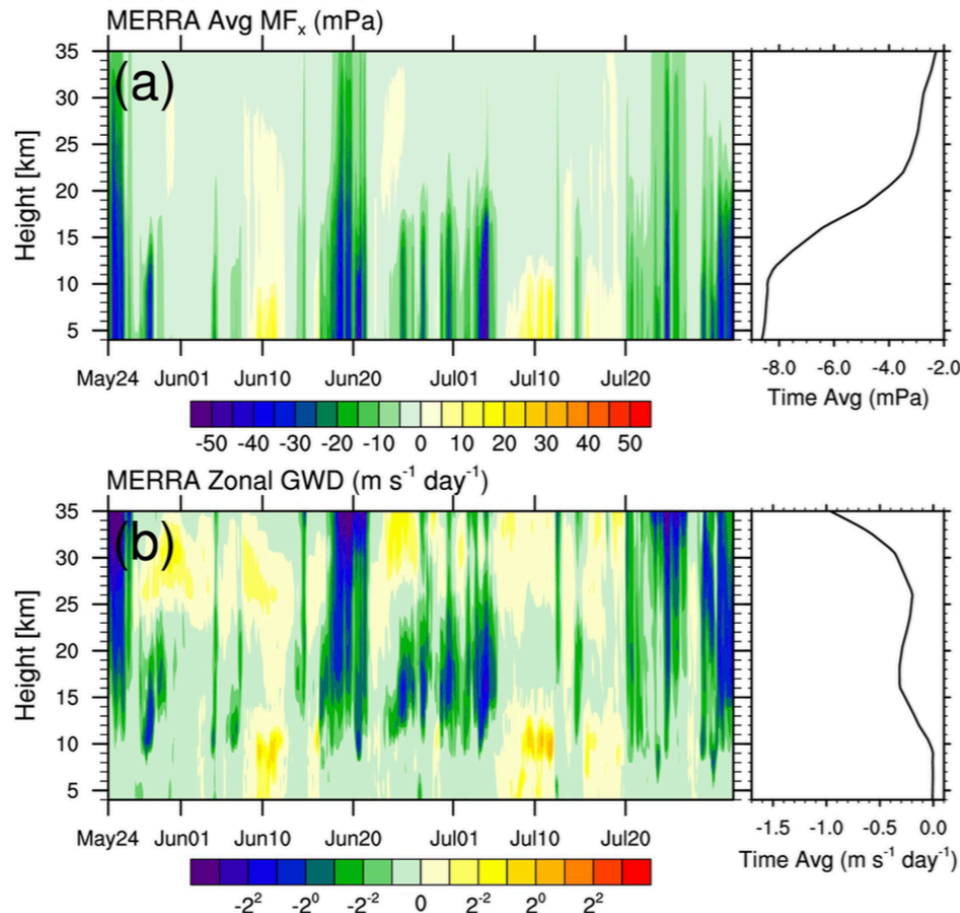
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- Area averaged  $MF_x$  (top) and  $GWD_x$  (bottom)

WRF



MERRA

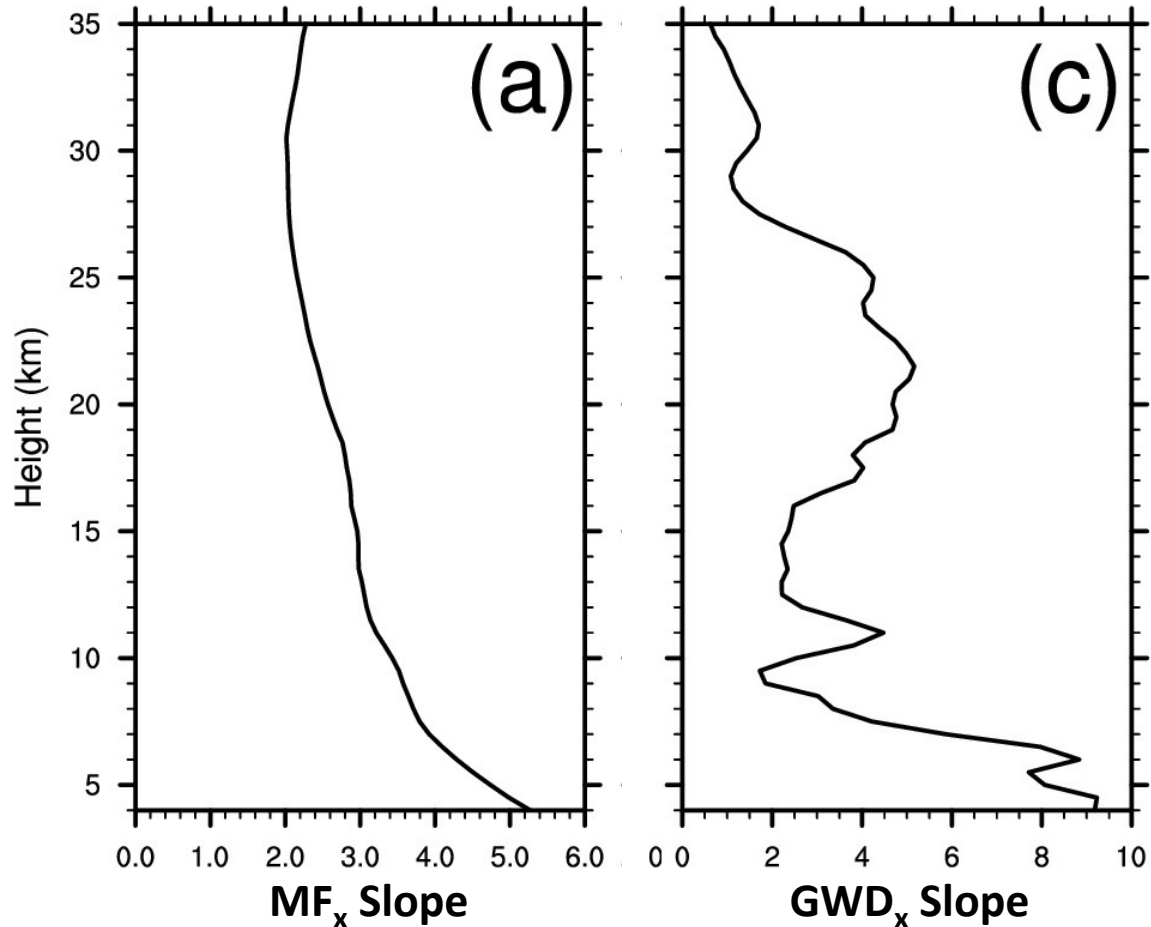


**NOTE: MERRA Contours  $\frac{1}{4}$  of WRF!**

# WRF/MERRA Comparison

- Area averaged  $MF_x$  (left) and  $GWD_x$  (right)

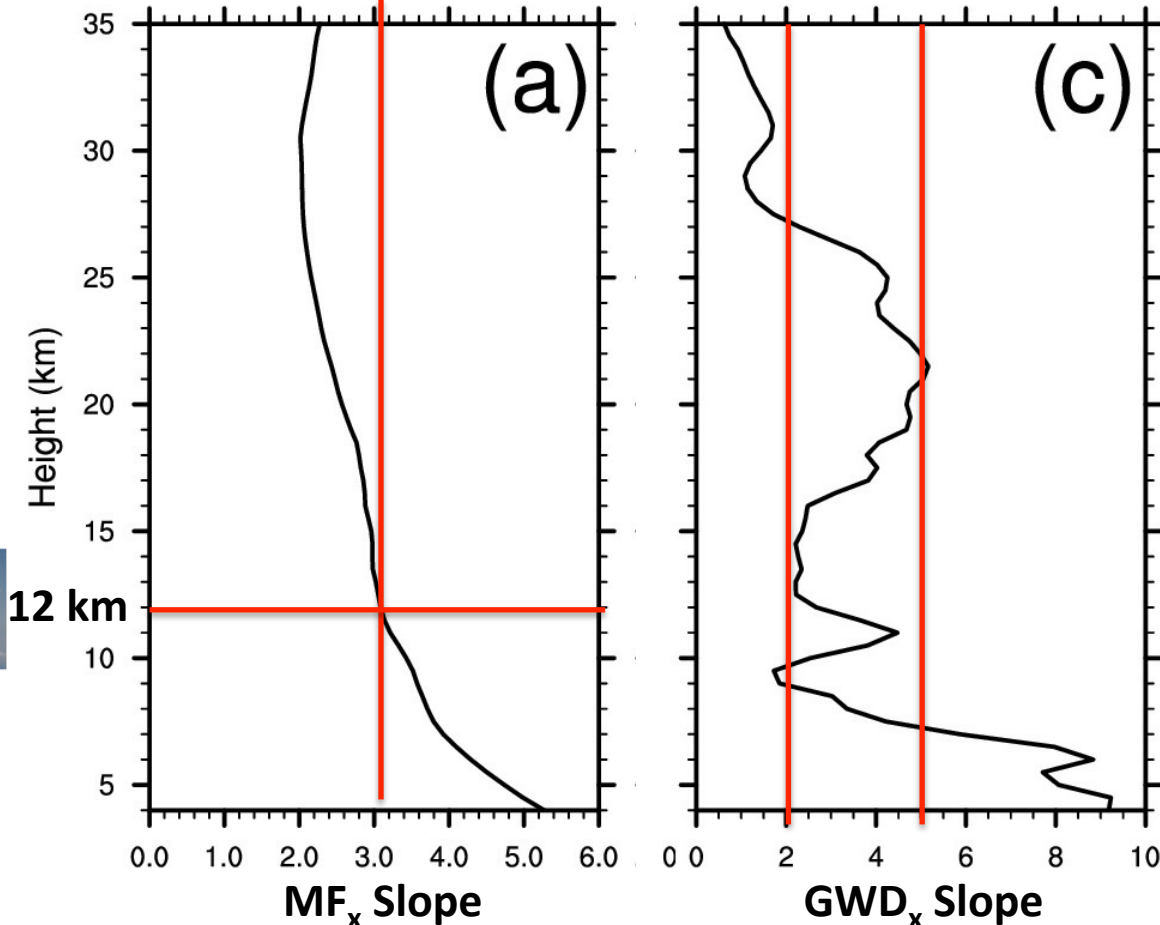
Regression:  $WRF = m * MERRA$



# WRF/MERRA Comparison

- Area averaged  $MF_x$  (left) and  $GWD_x$  (right)

Regression:  $WRF = m * MERRA$

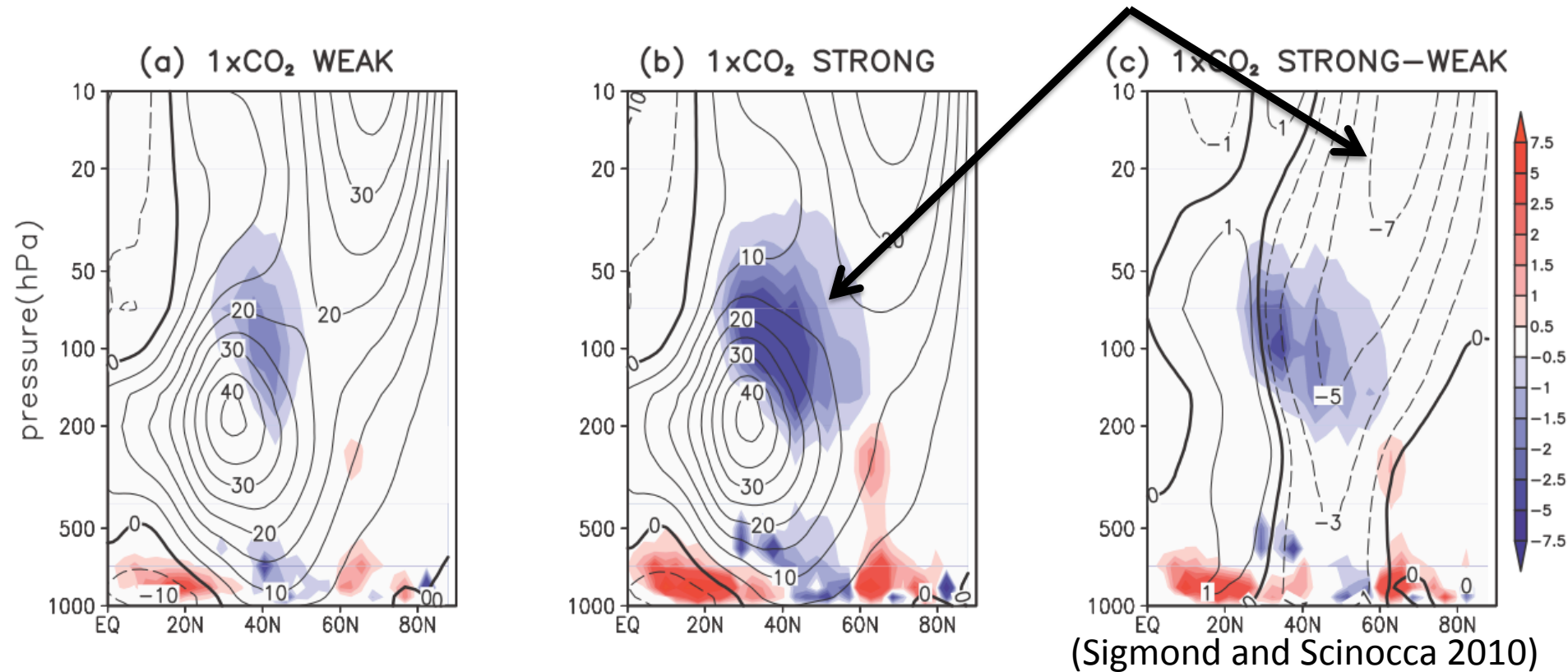


Param.  $MF_x$  into stratosphere  $\sim 3x$  smaller than well-validated WRF!

Param.  $GWD$  2-5 times smaller than well-validated WRF in Valve Layer!



# Implications of too little GWD



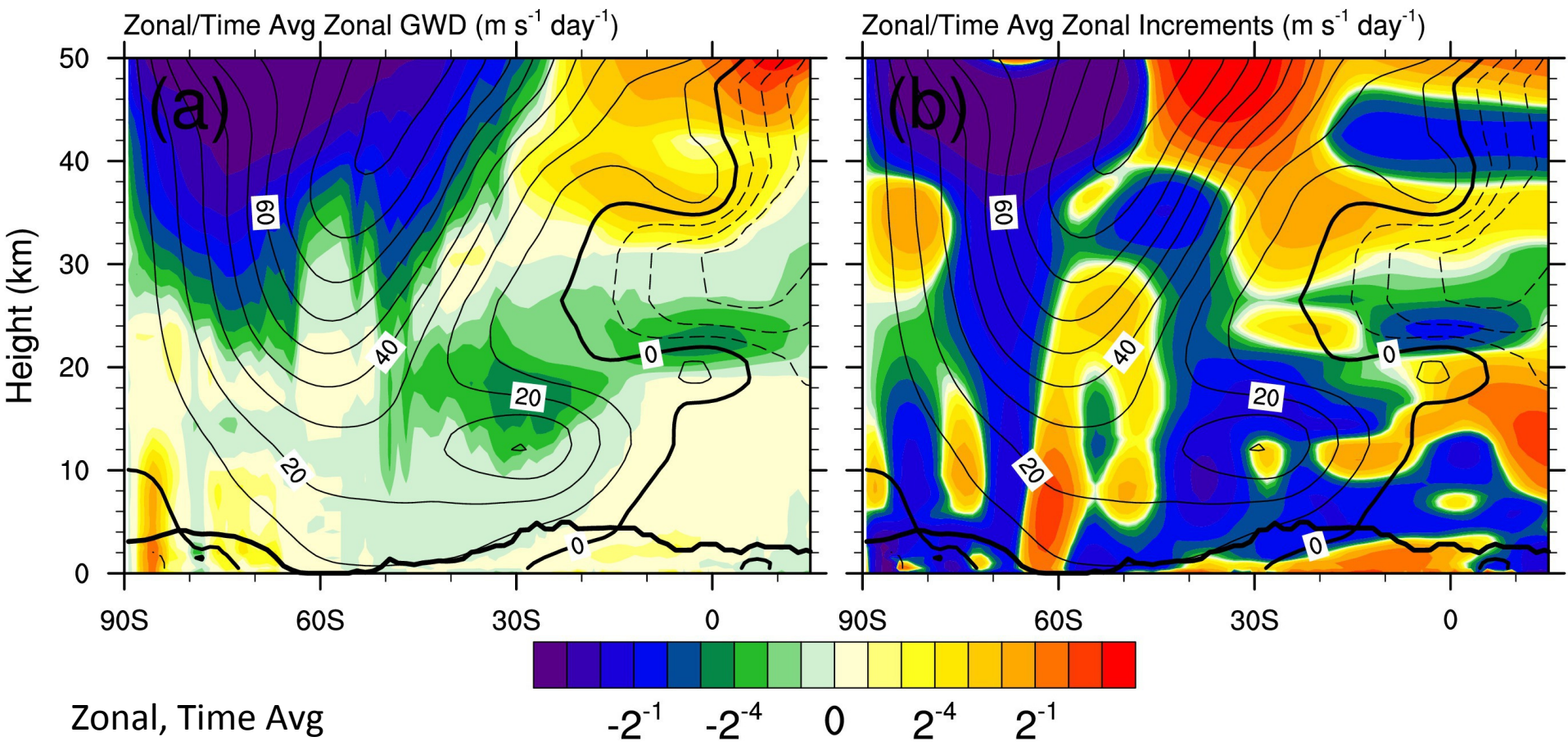
- Sigmond and Scinocca (2010) found that increased mid-latitude lower-stratospheric GWD slowed the polar stratospheric vortex (PSV) by altering planetary wave propagation and drag
- Under-representation of GWD may be a part of the cold-pole problem!

# Conclusions

- WRF reproduced observed ambient environment
- WRF reproduced event mean  $MF_x$
- Mountain waves frequently attenuated in a climatological Valve Layer
- $MF_x$  and  $GWD_x$  significantly under-represented in MERRA
  - MERRA increments consistent with this! (not shown)
  - May be part of the cause of the common cold-pole problem in Chemistry-Climate Models

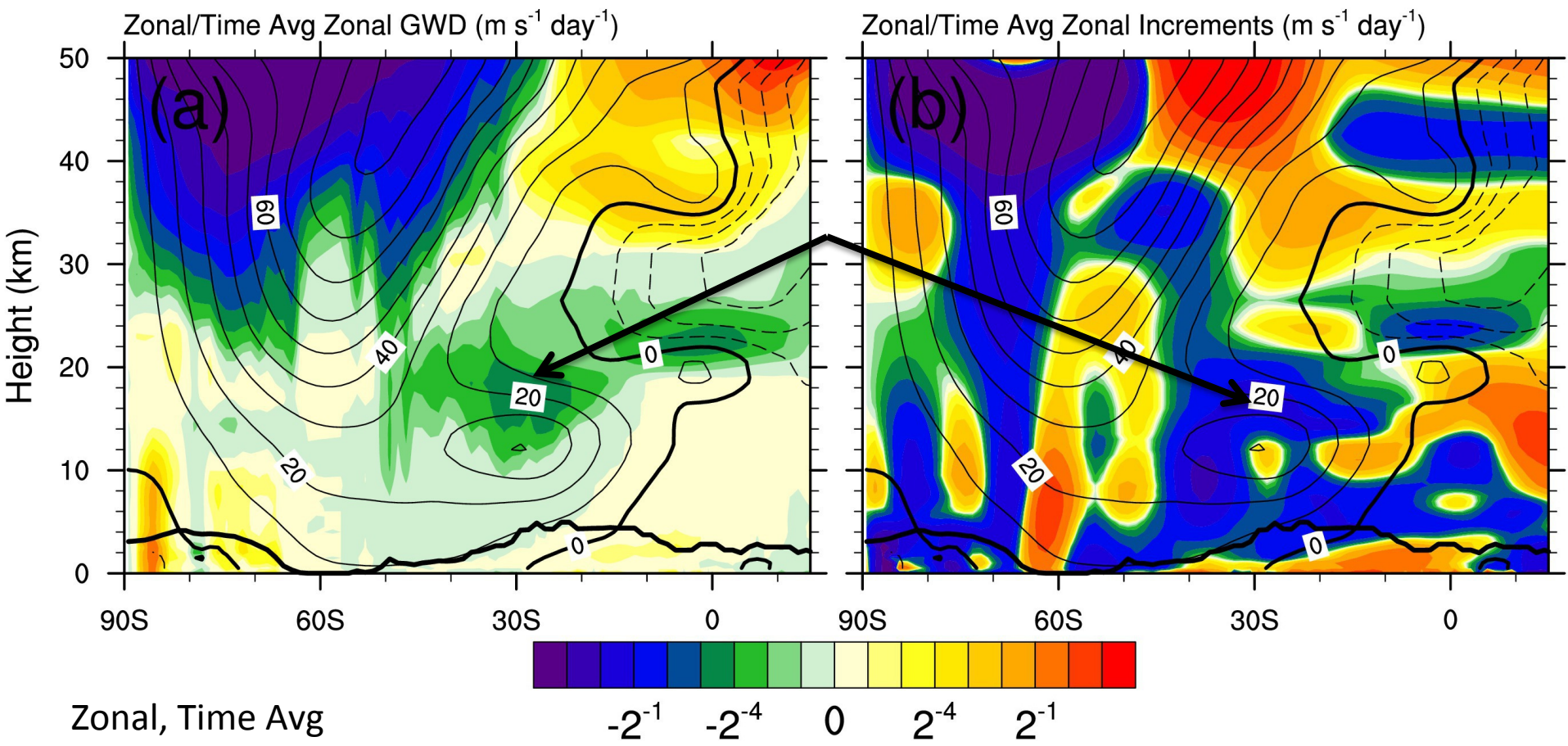
# MERRA Winds, $GWD_x$ , Increments

- Increments
  - Six hourly model errors, expressed as a tendency
  - Used to force model toward observations within governing equations
  - For  $u$ , has units of acceleration
  - Interpreted by McLandress et al. (2012) as a missing GWD in the model

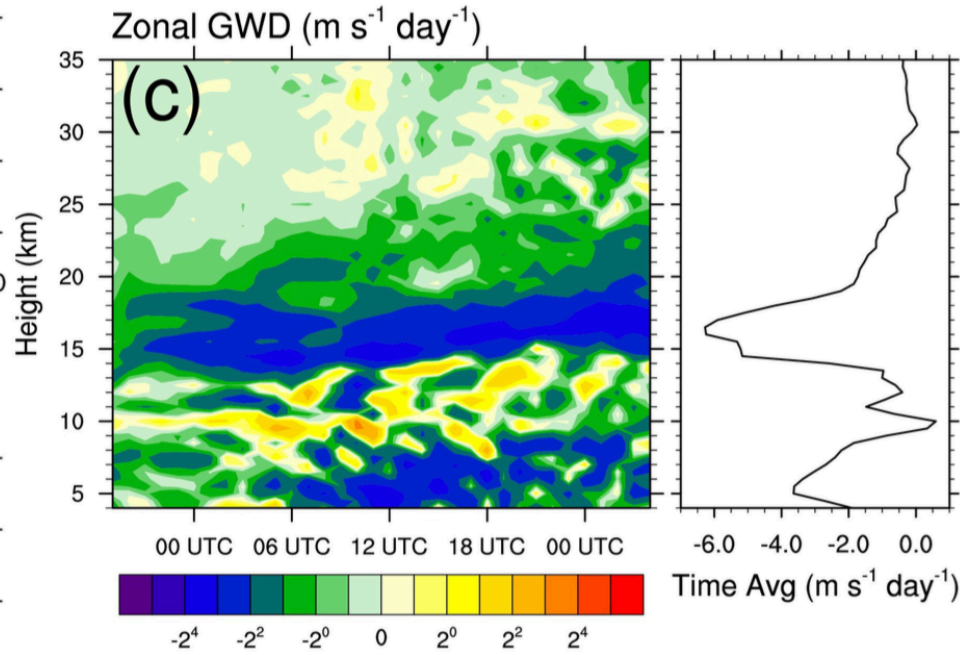
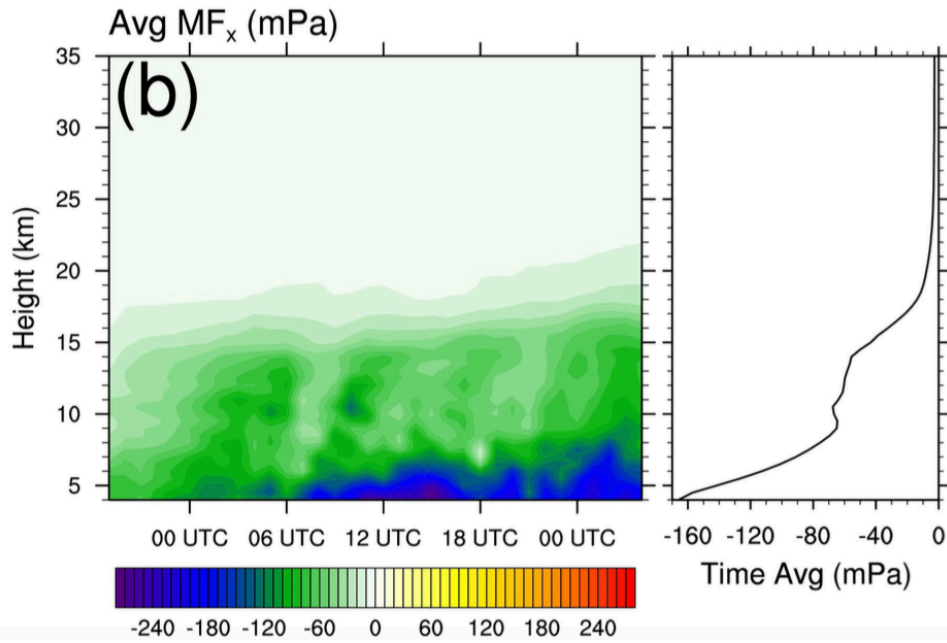
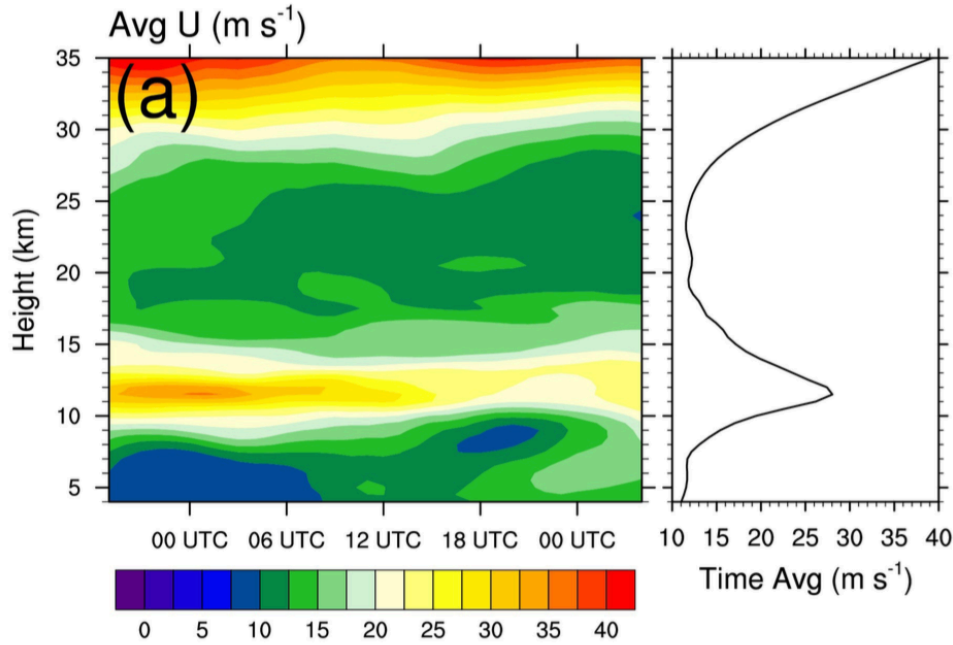


# MERRA Winds, $GWD_x$ , Increments

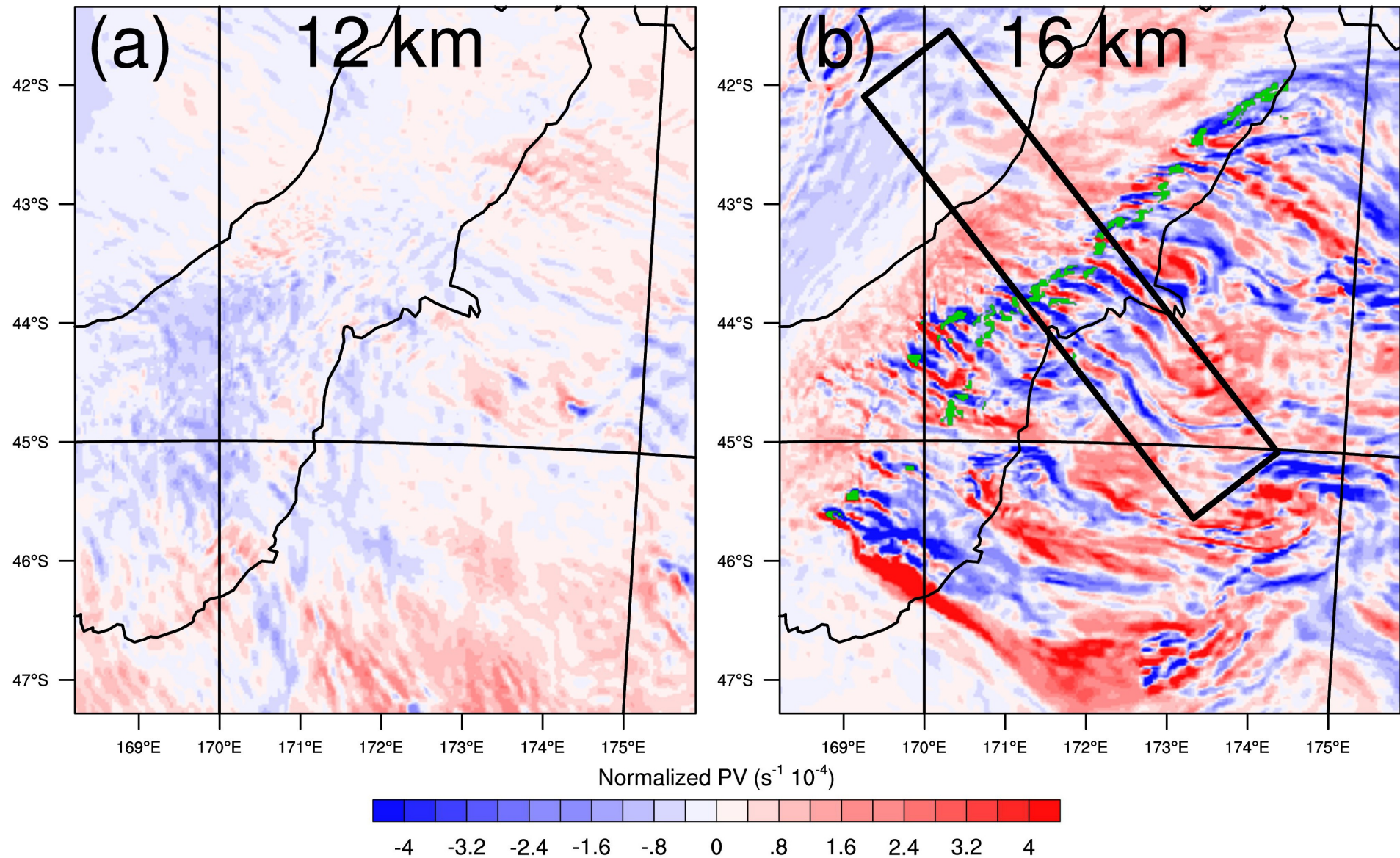
- Increments collocated with and same sign as  $GWD$
- **4-8 times larger than parameterized  $GWD$** 
  - Consistent with WRF comparison



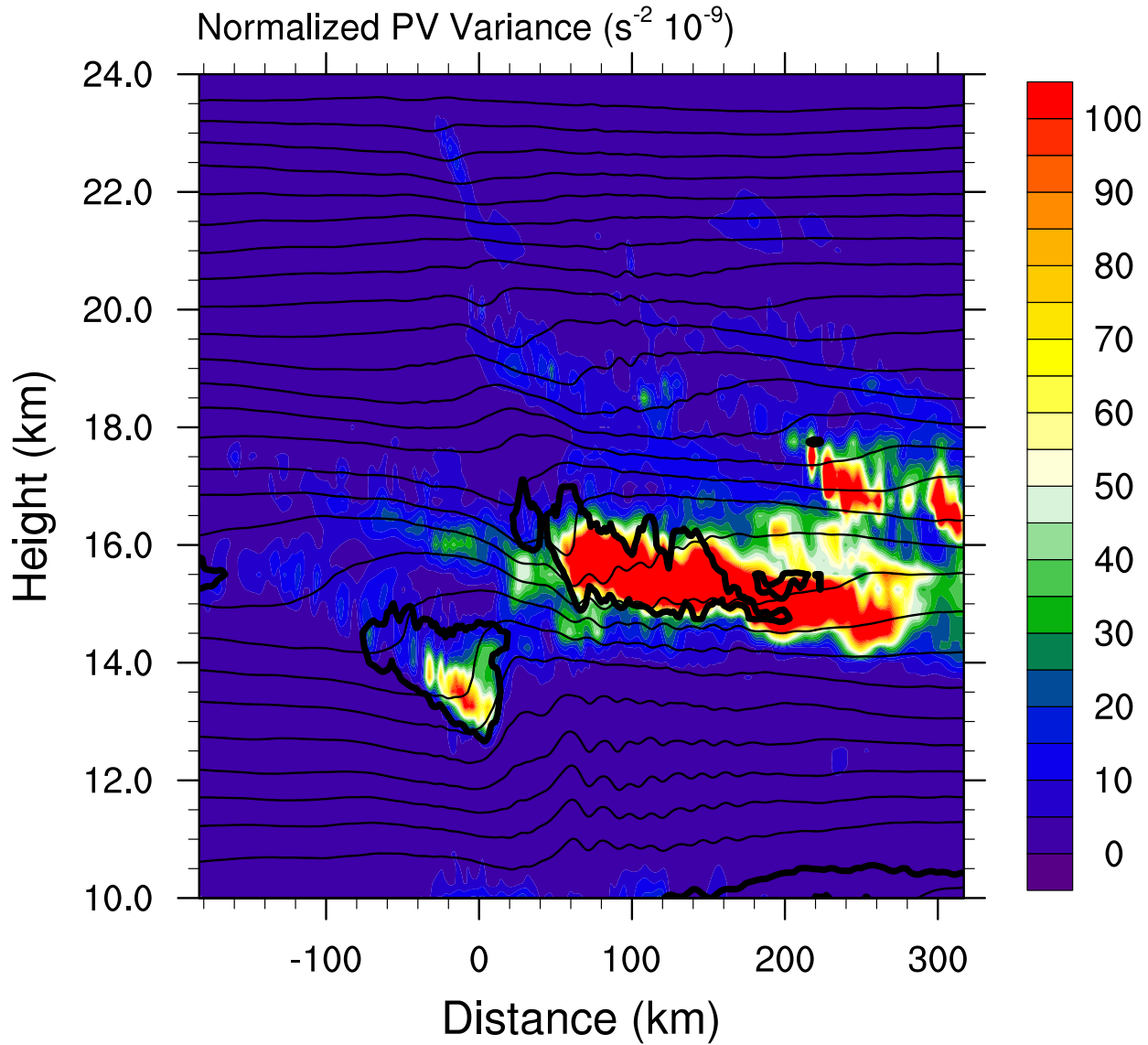
# Extra: Local Effects



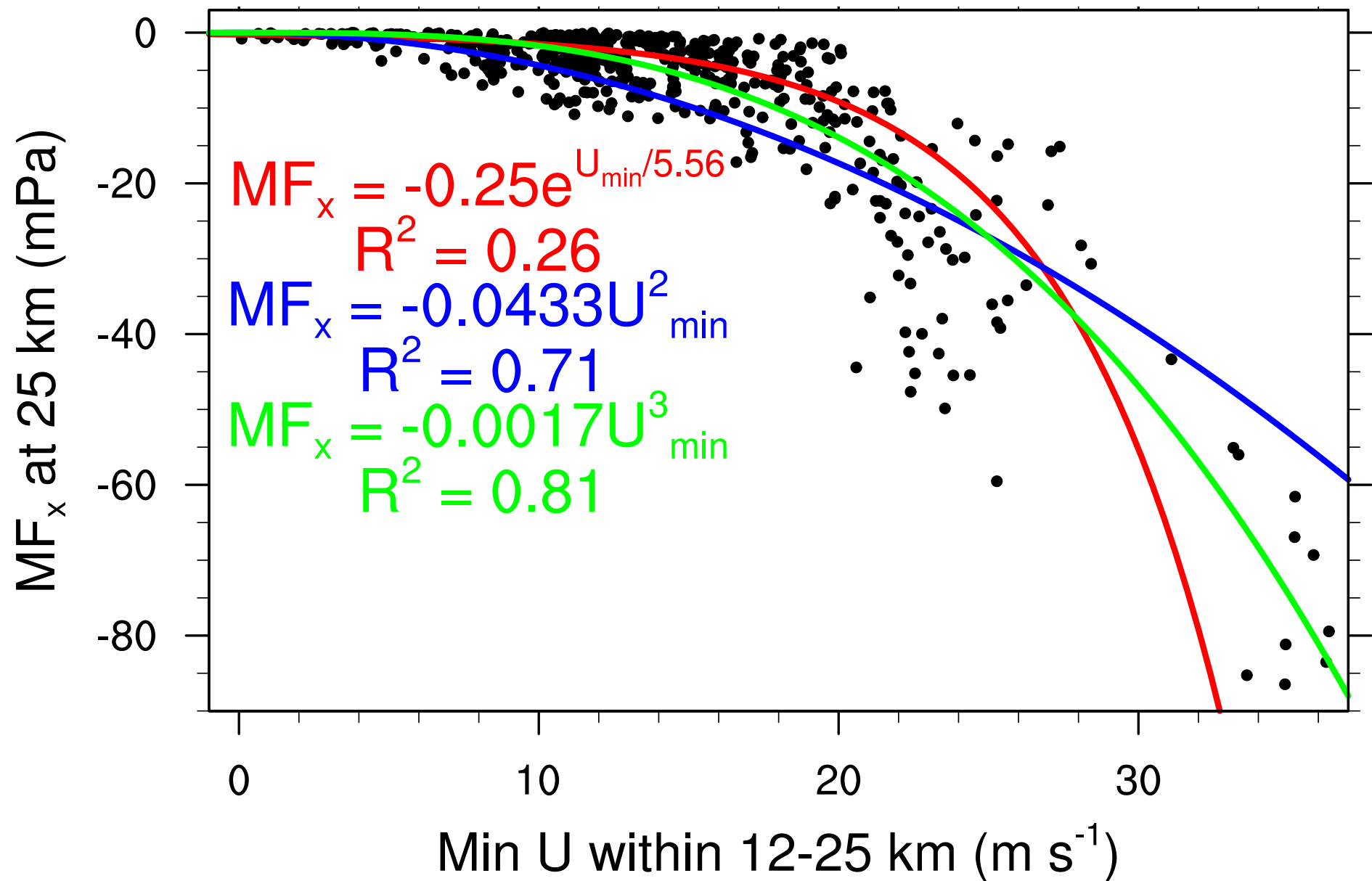
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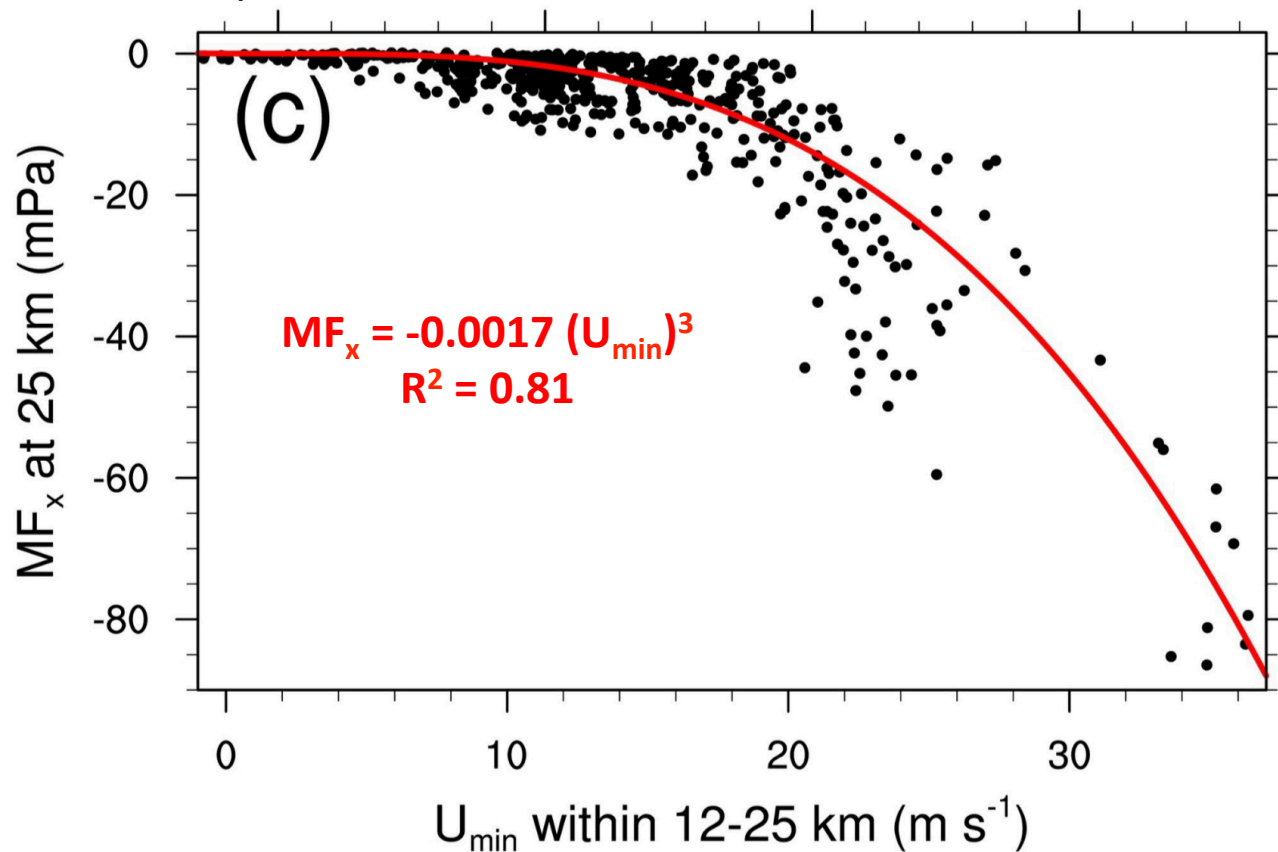
# 25-km $MF_x$ vs. Stratospheric $U_{\min}$





# What Controls $MF_x$ Transmission?

- Minimum wind speed
- Nearly a one-to-one **cubic** relation between transmitted  $MF_x$  and minimum wind speed
  - Consistent with parameterization predictions (e.g. Palmer et al. 1986, McFarlane 1987)



# Saturated (i.e. max) $MF_x$ Given $\rho$ , $N$ , $U$

- From Palmer 1986

$$\tau_{\text{sat}} = \varepsilon^2 \kappa \rho U^3 / N$$

- From McFarlane 1987

$$\tau = \tau(0)/F^2 = -\frac{1}{2}(\bar{\rho}\bar{\mu}\bar{U}^3/N).$$

- Max  $MF_x(\tau)$  most strongly constrained by  $U$ 
  - Proportional to the cube

Wavenumber

# McFarlane Parameterization

- From McFarlane 1987

$$MF_{x_{sat}} [N m^2] = -\frac{F_c^2}{2} \frac{\bar{\rho} k}{N} U^3$$

- $F_c$  and  $k$  are tuning parameters
- $F_c$ , the local Froude number, is the saturation criterion
  - For a monochromatic wave, should be 1
  - Set to 0.5 in McFarlane 1987
- $k$  computed assuming horiz. wavelength of 393 km
- This  $MF_x$  only applicable over mountainous terrain

# Cubic Fit Comparison

- To compare predicted and best fit cubic relations, need to compute area integrated, not averaged, quantities
- Multiplied the Long Run Fit by the averaging area (426,414 km<sup>2</sup>)
- Multiplied the param. relation by area of Southern Alps (approximated by 1/3 times South Island area, 50,146 km<sup>2</sup>)

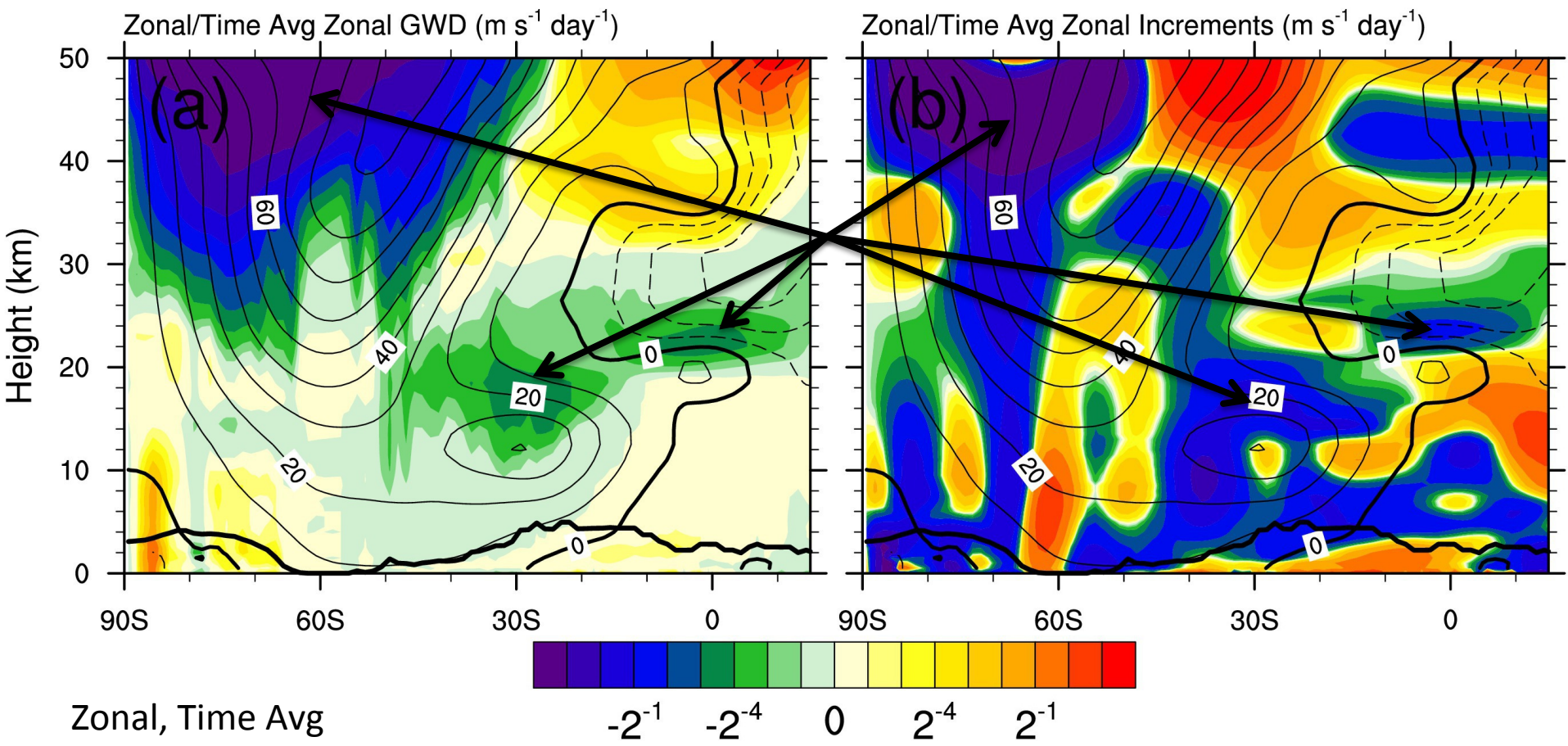
$$C_{int_{WRF}} = -741,960 \frac{kg\ s}{m^2}$$

$$C_{int_{sat}} = -501,072 \frac{kg\ s}{m^2}$$

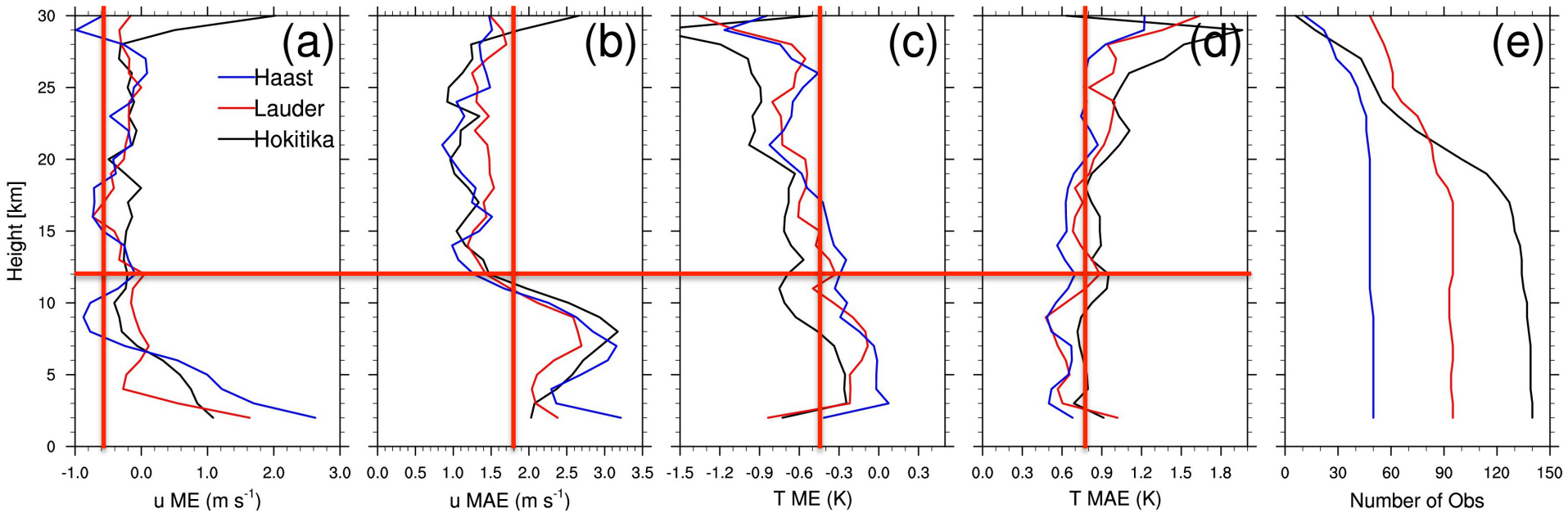
67.5% of WRF

# MERRA Winds, $GWD_x$ , Increments

- A number of other regions where GWD may be under-represented

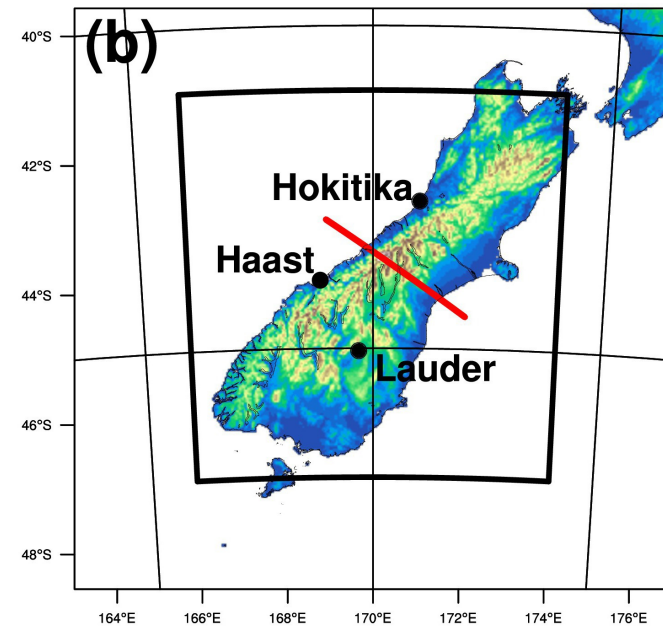


# Ambient Atmosphere Validation: Radiosondes

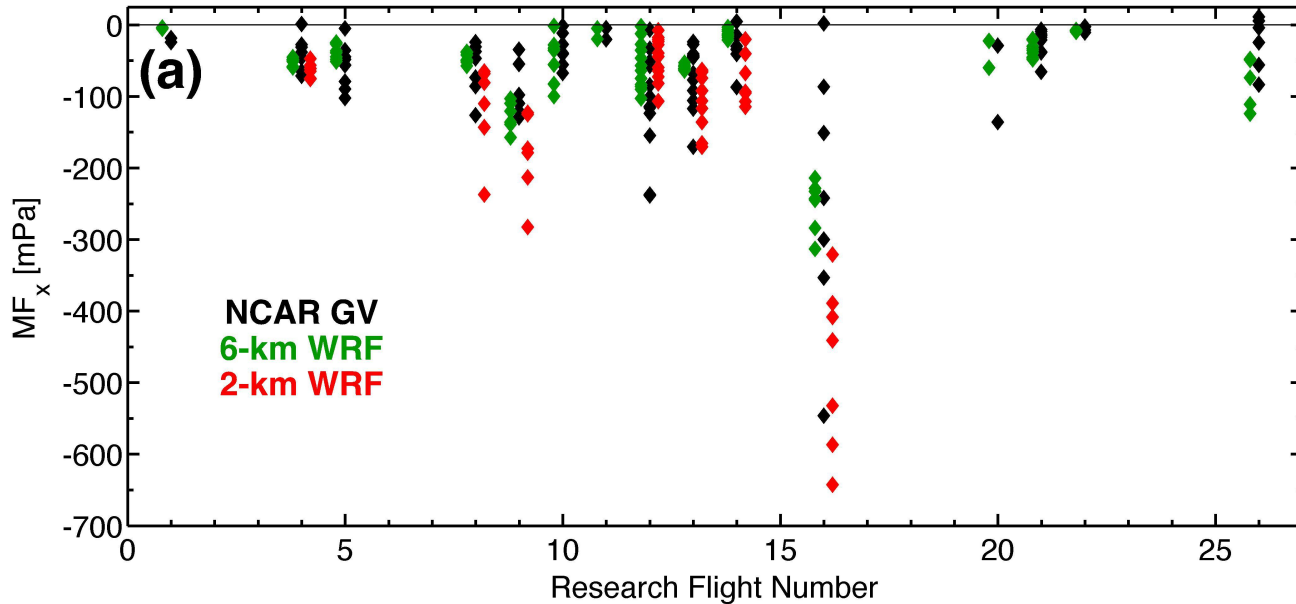


## Aircraft Validation Statistics

- ME = Mean Error
- MAE = Mean Absolute Error
- Validation best in stratosphere



# Momentum Flux Validation

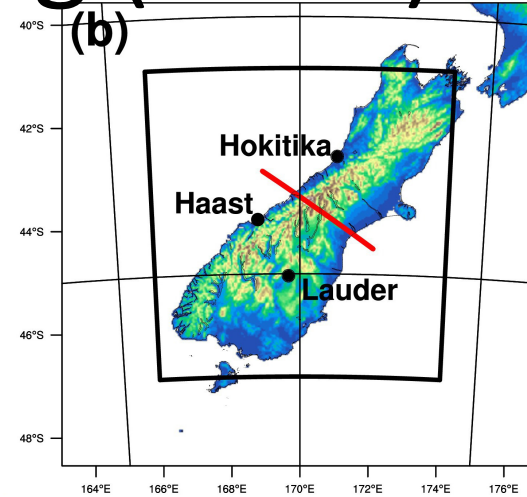


	6-km $\overline{MF}_x$	2-km $\overline{MF}_x$
# of Legs	97	58
Slope	0.667	1.236
R	0.463	0.610
Bias	3.838	-46.584
% Bias	5.56	50.7
MAE	40.554	78.735
% MAE	58.76	85.69

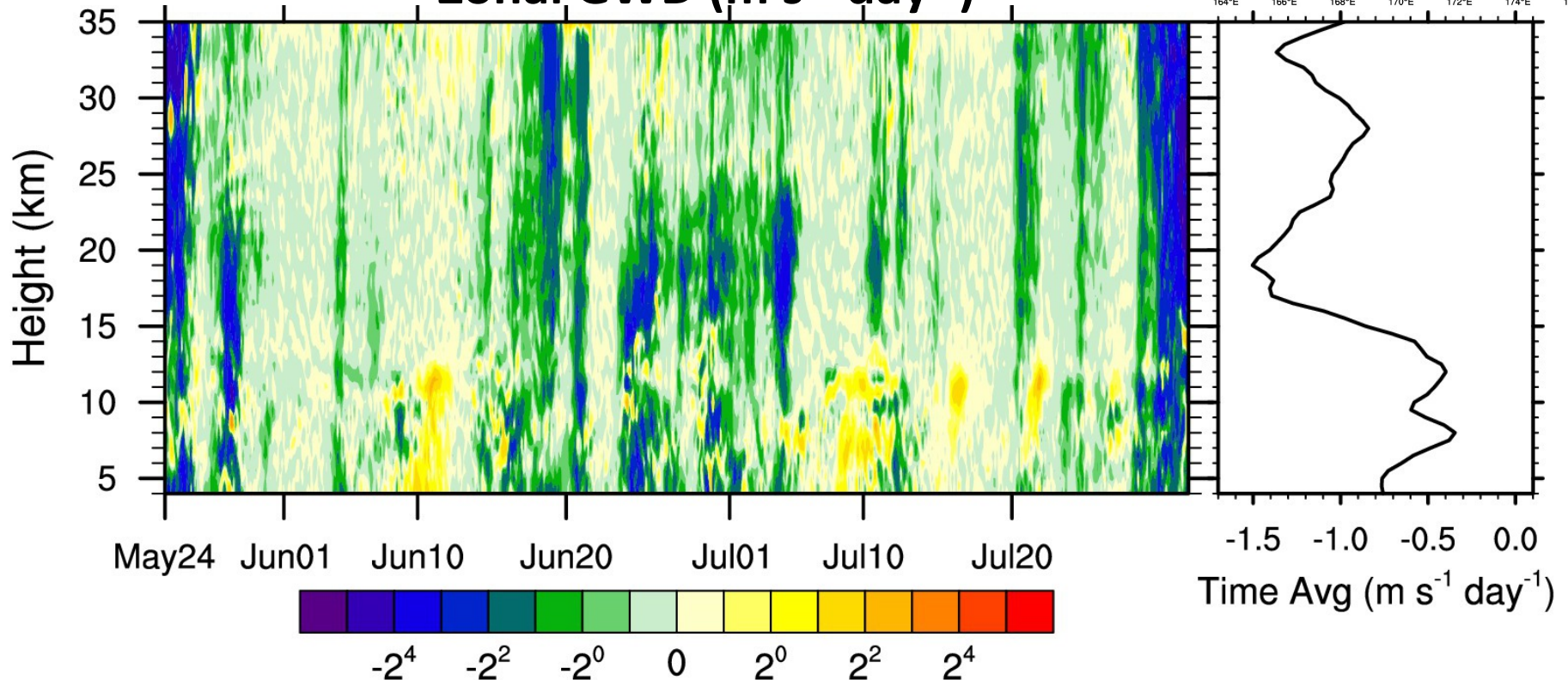
- Significant intra-event  $MF_x$  variability
- **Long Run** doesn't reproduce  $MF_x$  variability, **but gets averages correct**

# Long Run Gravity Wave Drag (GWD)

$$GWD_x = -\frac{1}{\bar{\rho}} \frac{\Delta \overline{MF}_x}{\Delta z} \quad \overline{MF}_x = \bar{\rho} \overline{u'w'}$$
$$\overline{(\cdot)} = \frac{1}{A} \int_A (\cdot) dA$$

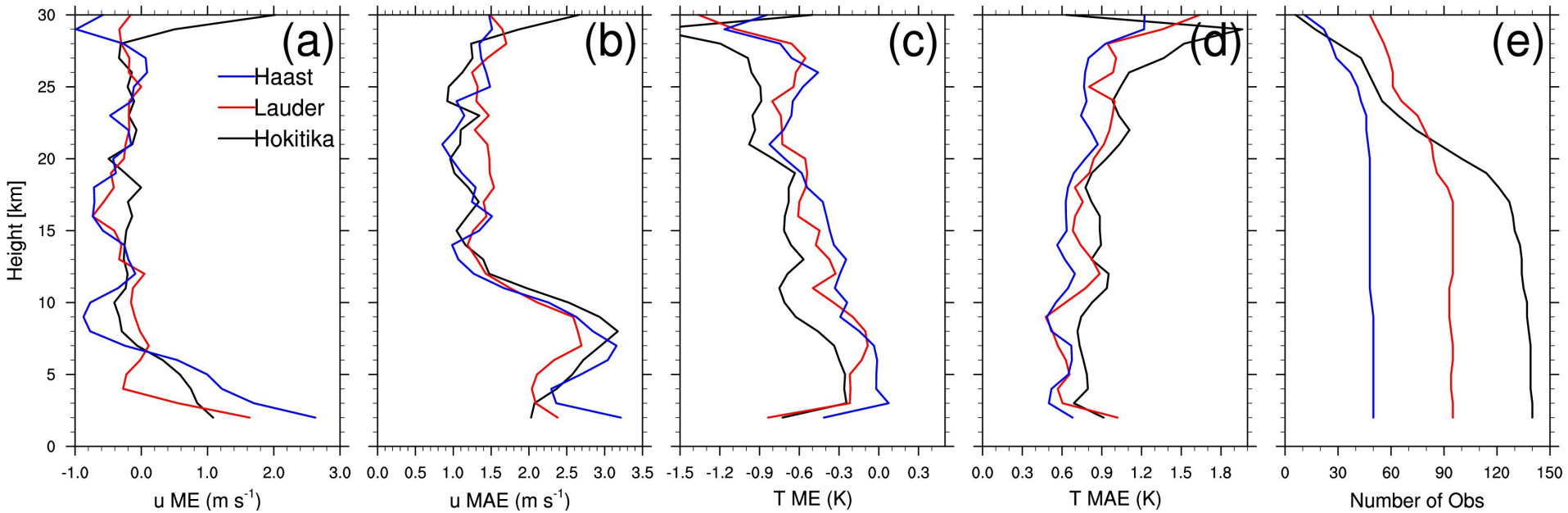


Zonal GWD ( $\text{m s}^{-1} \text{ day}^{-1}$ )

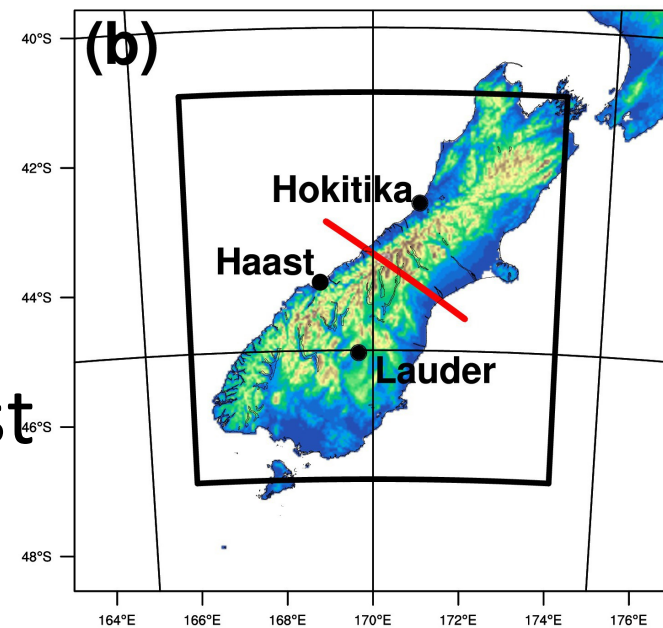




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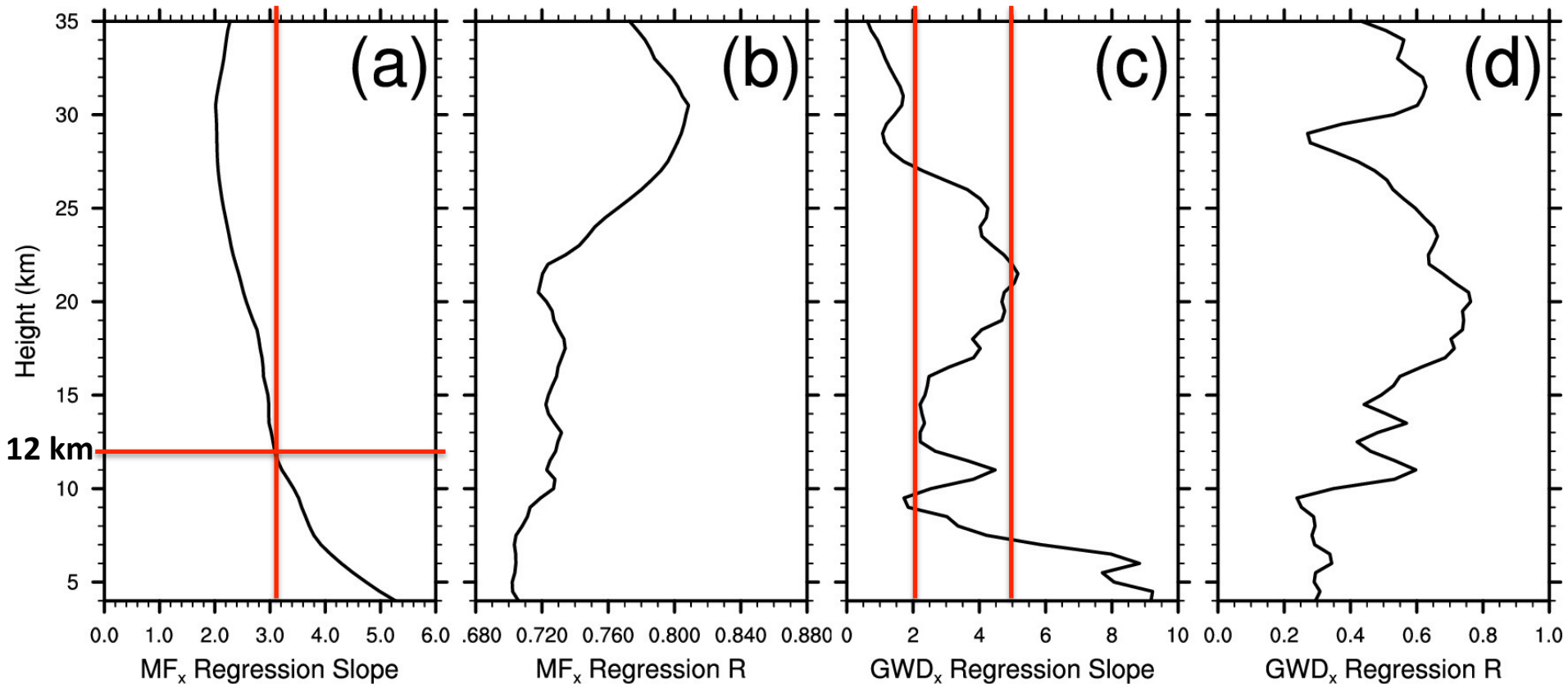
- ME = Mean Error
- MAE = Mean Absolute Error
- Validation good at all levels, best in stratosphere



# WRF/MERRA Comparison

- Area averaged  $MF_x$  (left) and  $GWD_x$  (right)

Regression:  $WRF = m * MERRA$



**Param.  $MF_x$  into stratosphere ~3x smaller than well-validated WRF!**

**Param. GWD 2-5 times smaller than well-validated WRF in Valve Layer!**